

MIN Faculty Department of Informatics



Challenges of Humanoid Motion Planning for Navigation

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Technical Aspects of Multimodal Systems

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Outline

- 1. Introduction and Motivation
- 2. Dynamic Window Approach
- 3. Dynamic Footstep Planning
- 4. Footstep Planning for 3D Environments
- 5. Conclusion

Introduction and Motivation

- humanoid robots are mobile robots
- approaches for traditional mobile robots (with wheels) only work for flat terrain
- humanoid robots can step on or over obstacles
- navigation space is limited by balancing criteria
- \blacktriangleright environment is dynamic \rightarrow dynamic replanning is required

- global path has been computed by a standard pathfinding algorithm (A* etc.)
- motion capabilities of the robot are known
 - ▶ velocity limits (v, ω)
 - acceleration limits $(\dot{v}, \dot{\omega})$
- current position $x(t), y(t), \theta(t)$ and velocity $v(t), \omega(t)$ is known

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

future position can be calculated

$$x(t_n) = x(t_0) + \int_{t_0}^{t_n} v(t) \cdot \cos\left(\theta(t)\right) dt \tag{1}$$

$$y(t_n) = y(t_0) + \int_{t_0}^{t_n} v(t) \cdot \sin\left(\theta(t)\right) dt$$
(2)

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

velocities depend on current velocities $v(t), \omega(t)$ and accelerations $\dot{v}(\hat{t}), \dot{\omega}(\hat{t})$

$$x(t_n) = y(t_0) + \int_{t_0}^{t_n} \left(v(t_0) + \int_{t_0}^t \dot{v}(\hat{t}) d\hat{t} \right)$$

$$\cdot \cos\left(\theta(t) + \int_{t_0}^t \left(\omega(t_0) + \int_{t_0}^{\hat{t}} \dot{\omega}(\tilde{t}) d\tilde{t} \right) d\hat{t} \right) dt$$
(3)

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

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$$y(t_{n}) = y(t_{0}) + \int_{t_{0}}^{t_{n}} \left(v(t_{0}) + \int_{t_{0}}^{t} \dot{v}(\hat{t})d\hat{t}\right)$$

$$\cdot sin\left(\theta(t) + \int_{t_{0}}^{t} \left(\omega(t_{0}) + \int_{t_{0}}^{\hat{t}} \dot{\omega}(\tilde{t})d\tilde{t}\right)dt\right)dt$$

$$(3)$$

$$(4)$$

- discrete simulation of possible trajectories
- evaluation of trajectories based on
 - target heading
 - clearance
 - velocity
 - distance to path
- finer granularity leads to
 - closer to optimal solution
 - computationally more expensive
- Ionger simulation time leads to
 - minimum should be the (maximum) deceleration time
 - computationally more expensive
 - Ionger reaction time to changes in the environment

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

Video Break [Tar]



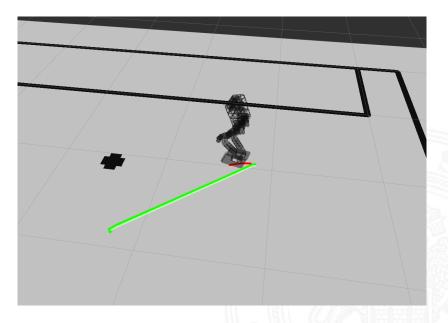


Figure 1: Visualization of local and global plan for a humanoid robot

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

Video Break 2



Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

Conclusion

- quick reactions to changes in the environment (faster than global replanning)
- computationally inexpensive
- collision free trajectory
- used in many real world robots
- planning restricted to x, y, θ

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

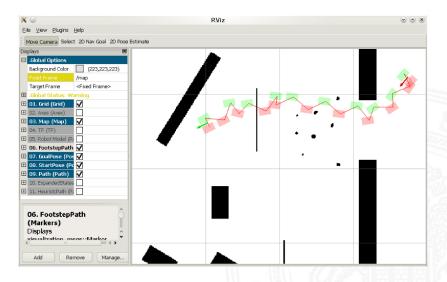


Figure 2: Visualization of planned footsteps between and above obstacles [GH]

- control feet position instead of velocities and accelerations
- walking engine needs to support this



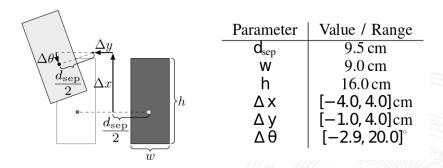


Figure 3: possible parameters of the foot placement vector [GHB]

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

State is modeled as position of supporting foot:

$$\mathbf{s} = (\mathbf{x}, \mathbf{y}, \theta)$$
 (5)

State transition is modeled as taking one step:

$$a = (\Delta x, \Delta y, \Delta \theta)$$
 (6)

Cost of state transition is modeled as:

$$c(s,s') = \|(x,y),(x',y')\| + k + d(s')$$
(7)

Where ||(x, y), (x', y')|| is the distance travelled, k is a constant cost to minimize steps taken and d(s') is distance to closest obstacle

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

Efficient collision checking between foot and environment is necessary



Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

Heuristic for path evaluation was chosen statistically

$$h_1 = \omega_1 \| (x, y), (x_{start}, y_{start}) \| + kS_1(s, s_{start})$$
(8)

$$h_{2} = \omega_{1} \| (x, y), (x_{start}, y_{start}) \| + kS_{1}(s, s_{start}) + \omega_{2} |\theta - \theta_{start}|$$
(9)
$$h_{3} = \omega_{1} \mathcal{D}(s, s_{start}) + kS_{2}(s, s_{start})$$
(10)

With ω_1, ω_2 as scaling factors, S_1 as expected number of footsteps based on distance, k as constant cost per step, \mathcal{D} as length of 2D Path and S_2 as expected number of footsteps along \mathcal{D}

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

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 h_3 was chosen through statistical evaluation

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

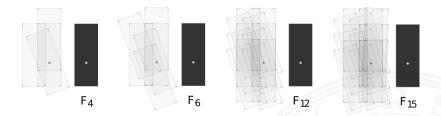


Figure 4: sets of possible foot placements [GHB]

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

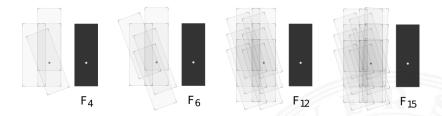


Figure 4: sets of possible foot placements [GHB]

F_{12} was chosen through statistical analysis

- foot slippage and inaccurate joints cause open loop execution to be infeasible
- adaptation of next step to incorporate information about current position
- efficient replanning using D* when derivation from plan is too great

- stepping over planar or near planar objects is achieved
- stepping onto objects is not achieved
- cluttered environments create local minima [HDLB]



Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

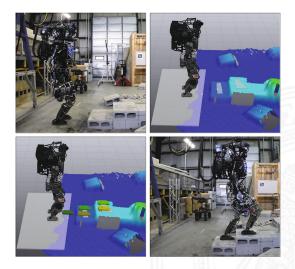


Figure 5: Planned Footsteps for climbing Stairs [KDF⁺]

- sets of footsteps limit available position
- continuous searching for complete area is
- subdivide into convex regions with convex cost function
- easily solvable by optimization

Introduction and Motivation Dynamic Window Approach Dynamic Footstep Planning Footstep Planning for 3D Environments Conclusion

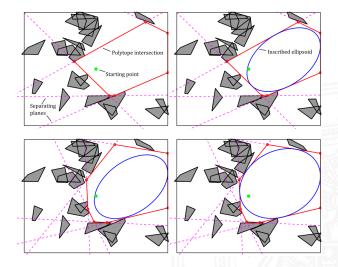


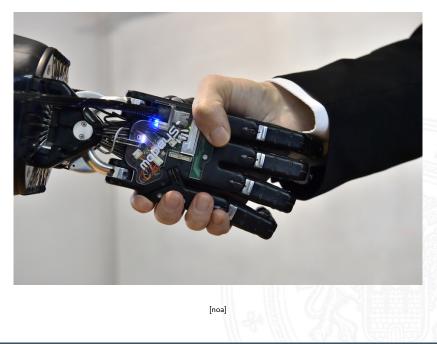
Figure 6: Convex region calculation [KDF⁺]

- trajectory of center of mass and center of pressure needs to be planned
- reaching a stable pose after the last step
- placing feet on sloped terrain is not modeled



Video [Cel]







	DWA	Footstep Planning
dimensionality of navigation	3	3-6
computational difficulty	low	high
nav. on flat ground	yes	yes
nav. over obstacles	no	yes
stepping on obstacles	no	yes
sloped ground	(yes)	(yes)



Thank you for your attention. Time for your questions.



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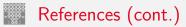
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[noa] Get involved with the best in UK innovation. https://www.gov.uk/government/news/ get-involved-with-the-best-in-uk-innovation



[Tar]

TARIK KELESTEMUR:

TurtleBot 2 Autonomous Navigation and Obstacle-avoidance,

https://www.youtube.com/watch?v=0eDFSXPnh2I