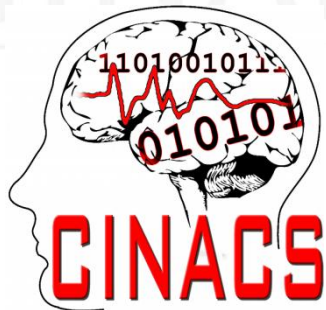


Push Path Improvement with Policy based Reinforcement Learning

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University of Hamburg
Cross-modal Interaction In Natural and Artificial Cognitive
Systems (CINACS)

06.12.2016



Outline

- ❑ *Motivation*
- ❑ *Research Concept*
- ❑ *Previous Works*
- ❑ *System Architecture*
- ❑ *Policy Based Reinforcement learning*
- ❑ *Simulator Training*
- ❑ *Manipulation learning*
- ❑ *Learning Result*

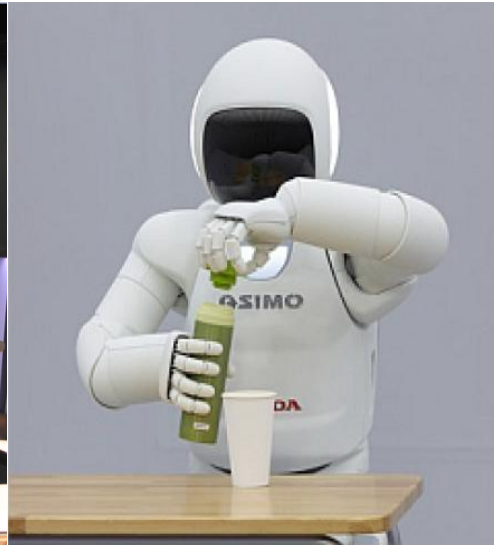


Motivation

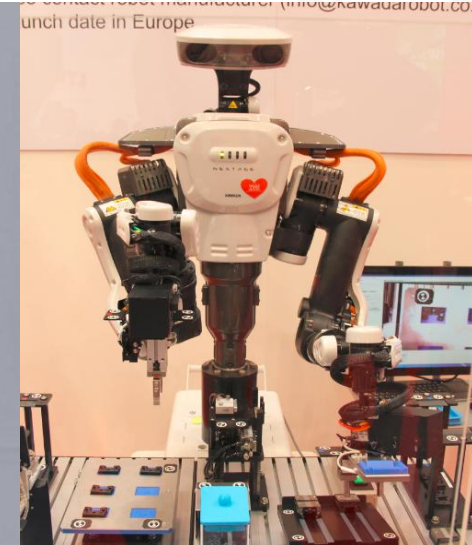
To complete real world tasks intelligently
(in-hand manipulation/grasping)



Shadow Hand



ASIMO



NEXTAGE



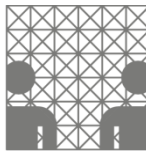
Motivation

In-hand manipulation

- An ability to move and position objects within one hand
- Fingers 'push' an object to generate motions.

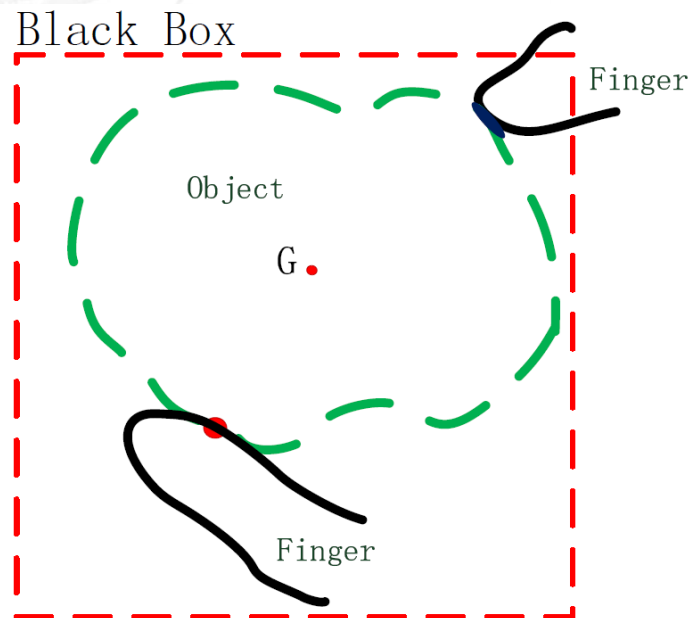
Challenges

- A large number of joints (shadow: 19/24 DOFs)
- Complex interaction model (sensitive to errors)
- Limited perception capability (visual & tactile sensors)



Research Concept

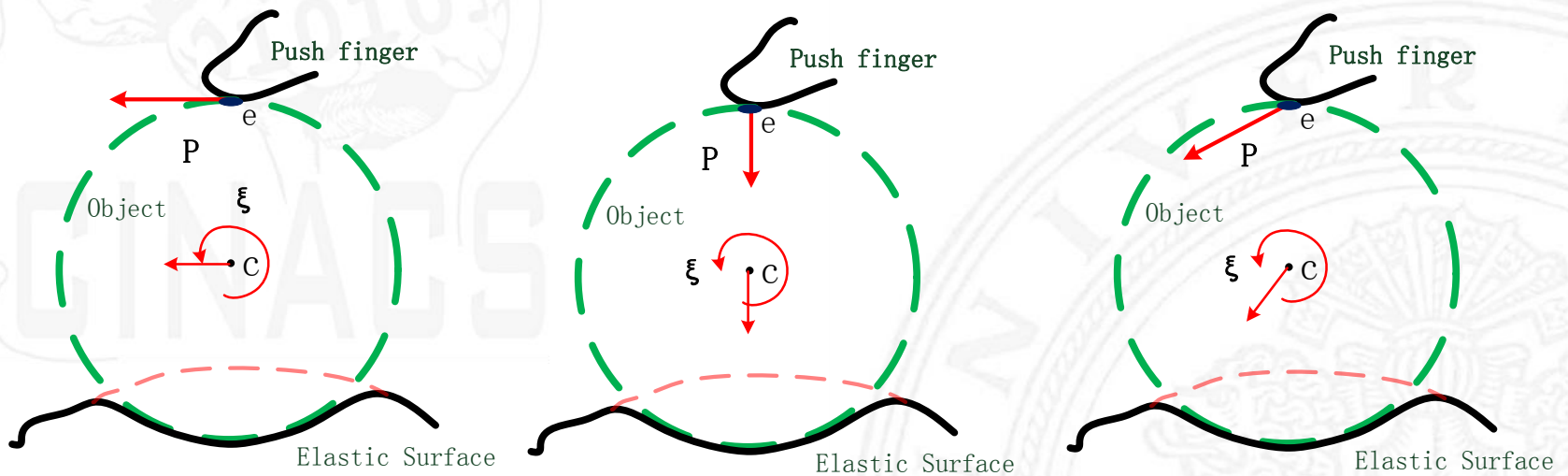
- ❑ In-hand interaction system is a black box
- ❑ Fingers push in the black box in different directions
- ❑ **Perceive** from trial and error



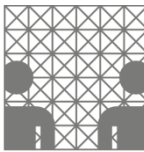


Research Concept

Push and Support Models



- ❑ To **roll** the object on an **elastic surface**
- ❑ **Trade off** down and forward motions

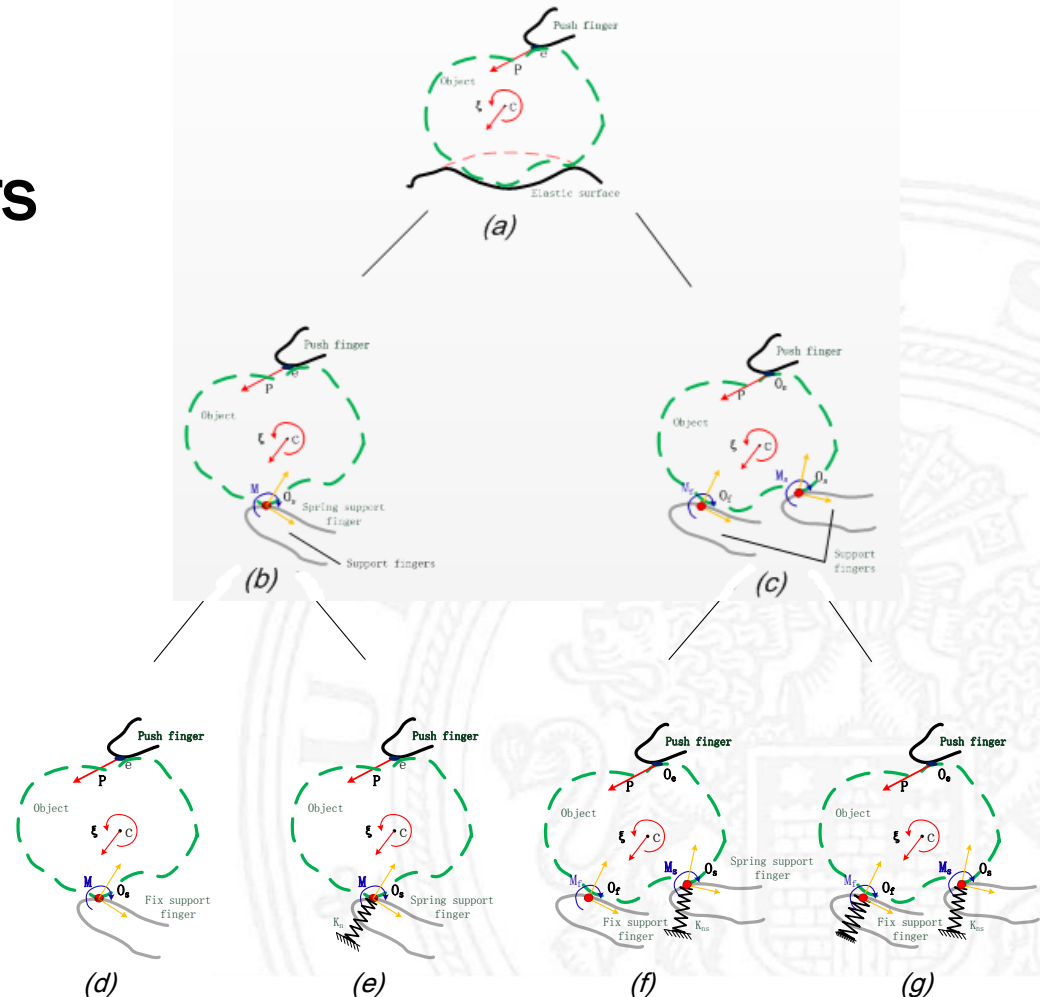
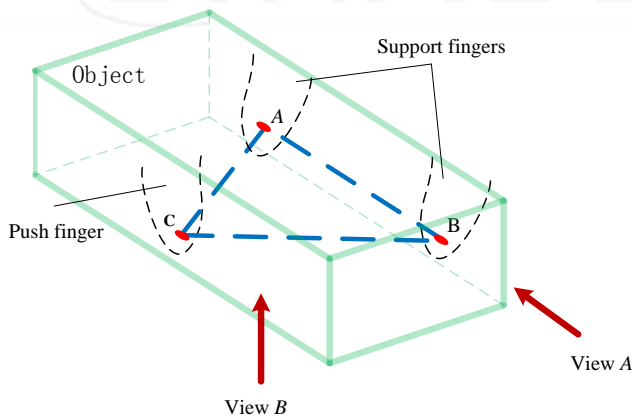


Research Concept

Model Evolution

Different support fingers

- Number (Different views)
- Type:
 - ◆ Fixed support finger
 - ◆ Spring support finger





Manipulation Model

Enhanced Manipulation Model

Hybrid support model
for yaw manipulation

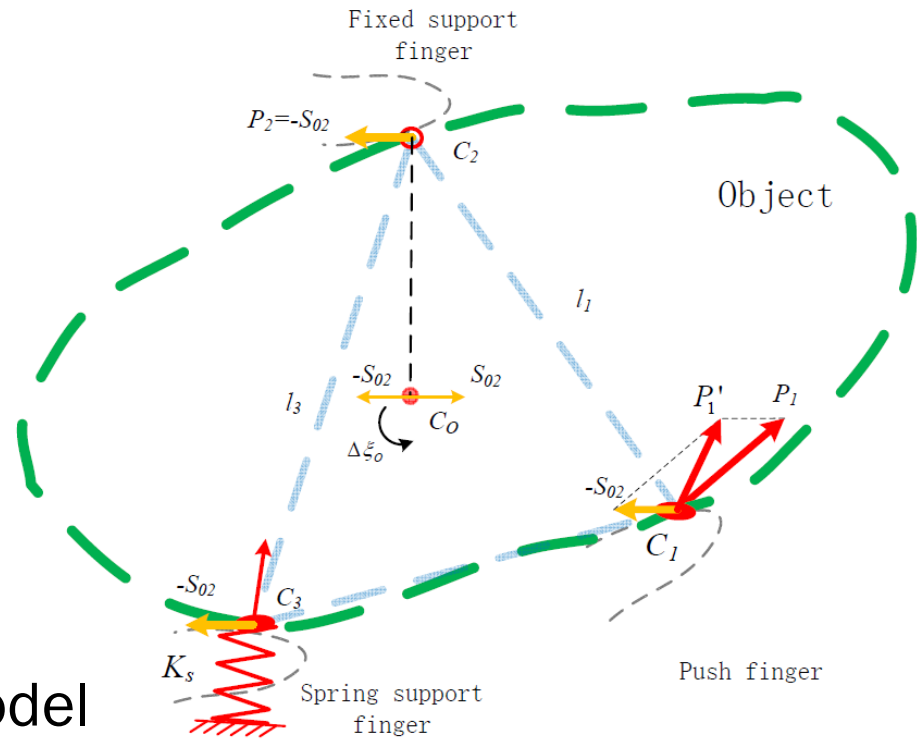


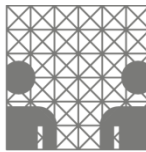
Opposite Velocity

$$P_2 = -S_{O2}$$

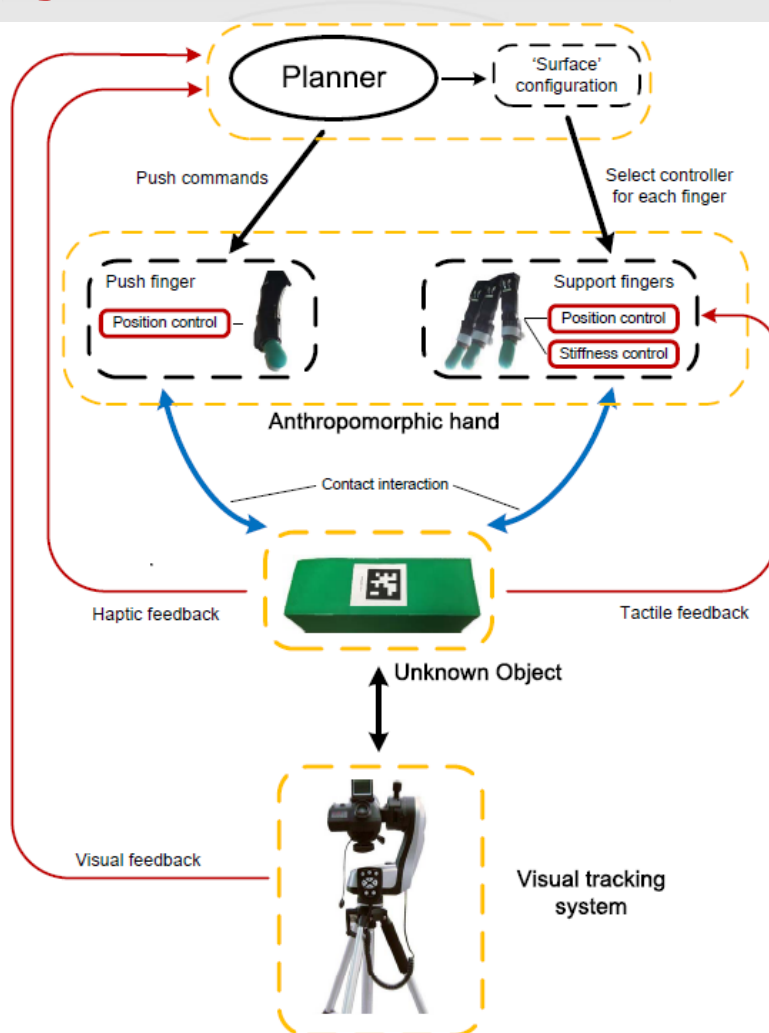


Enhanced manipulation model





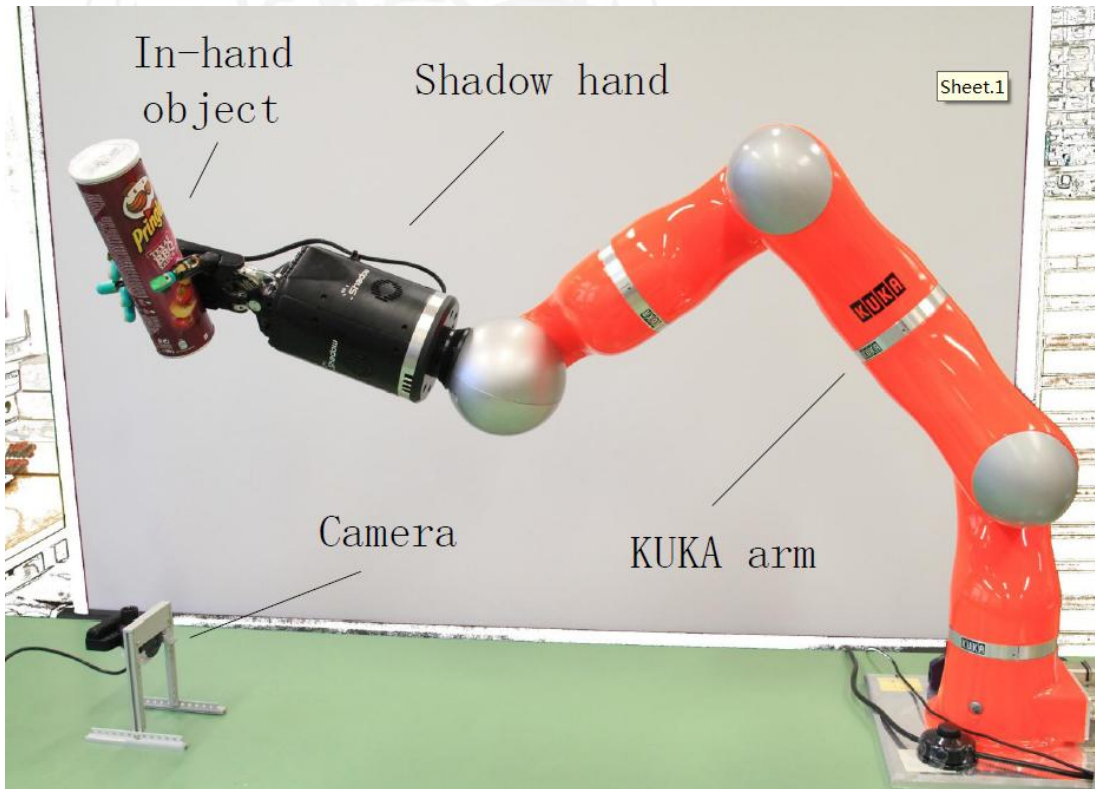
System Architecture



- ❑ Robot hand: Shadow hand (Anthropomorphic, 19 DOFs, tendons driven)
- ❑ Haptic sensing: BioTac (force, vibration and temperature, etc.)
- ❑ Visual tracking: AprilTags (2D barcode)

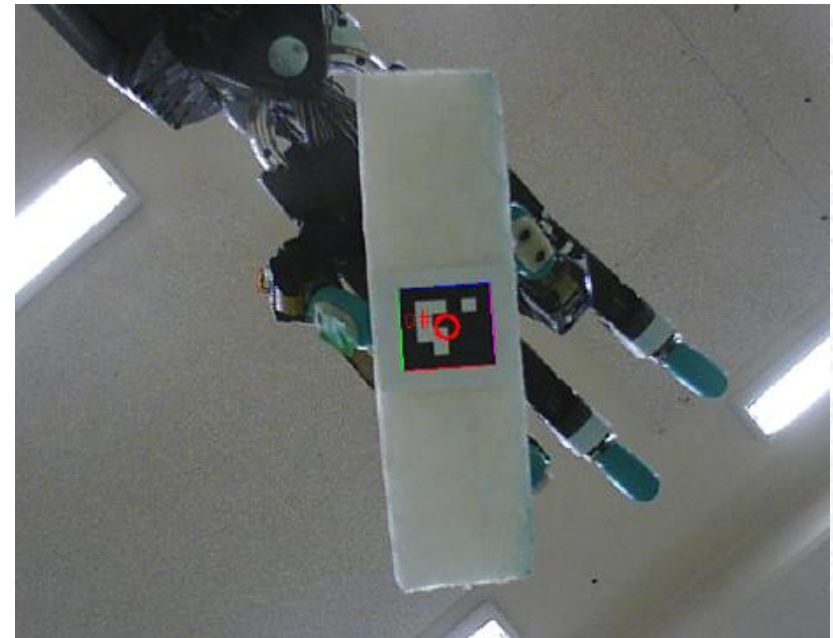
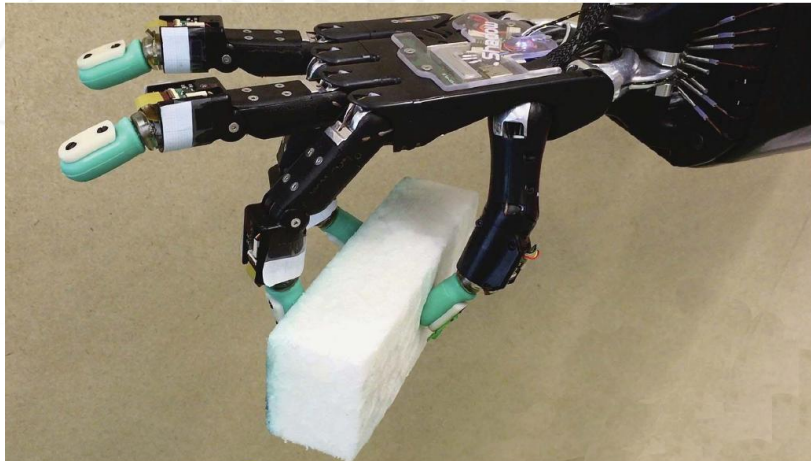
Experiment

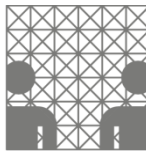
Experiment Setup



Experiments

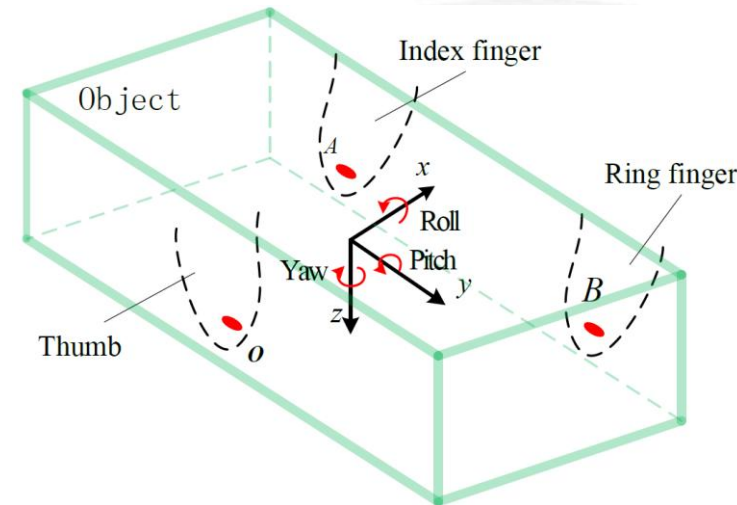
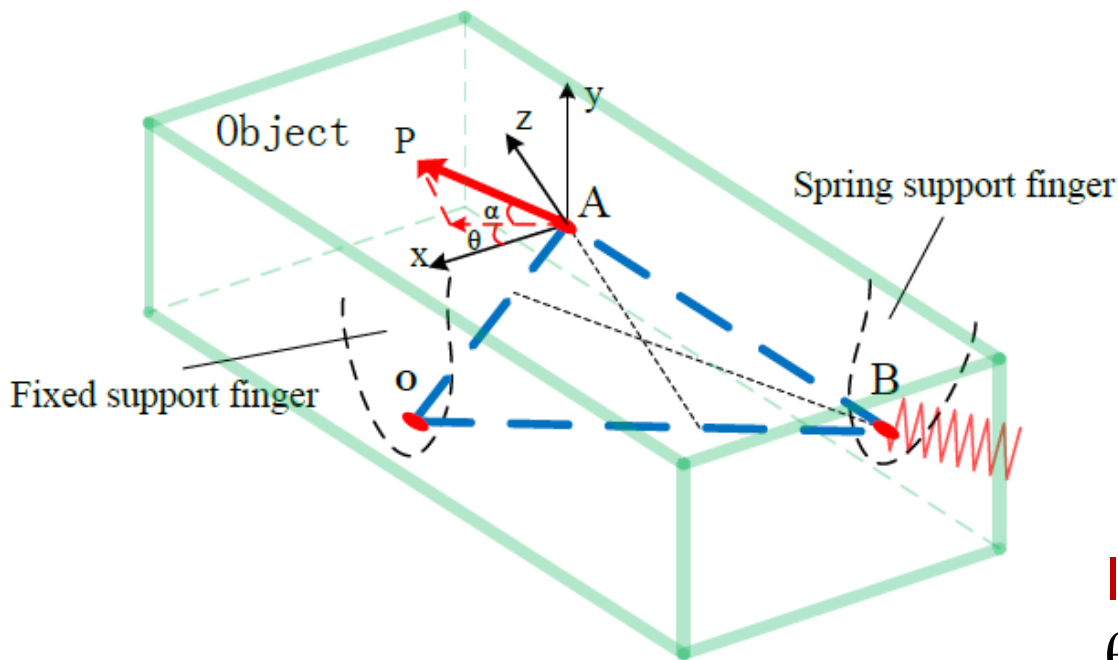
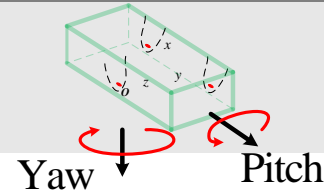
Initial Grasping Configuration





Experiments

Rotational Manipulation (Yaw)



Index finger pushes
 θ from -60° to 60°
 α from -60° to 60°



Experiments

Haptic feature

$$p\mathbf{K} = \begin{bmatrix} pk_1 \\ pk_2 \\ pk_4 \end{bmatrix}$$

Haptic reward

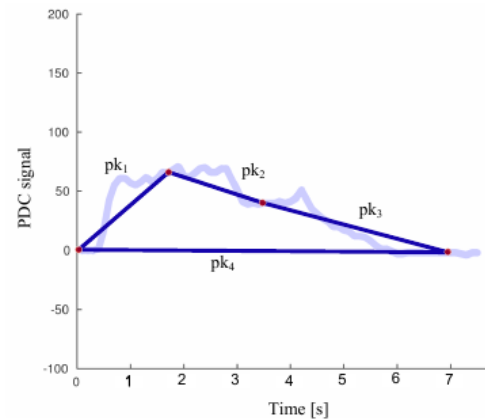
$$R_H = -d(p\mathbf{K}, p\mathbf{K}')$$

Visual feature

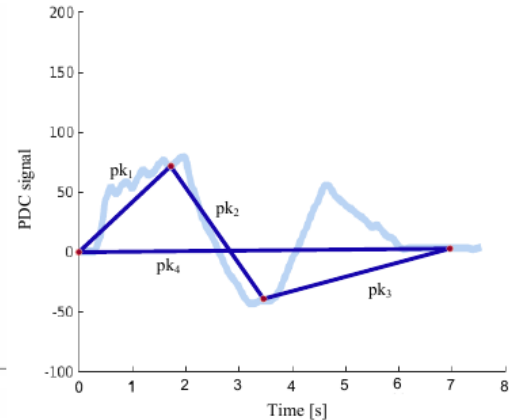
Object's Rotation: \mathbf{V}_r^T

Visual reward

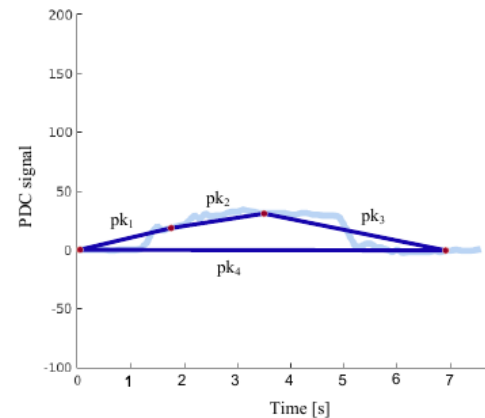
$$R_V = \mathbf{V}_r^T \mathbf{V}'_r$$



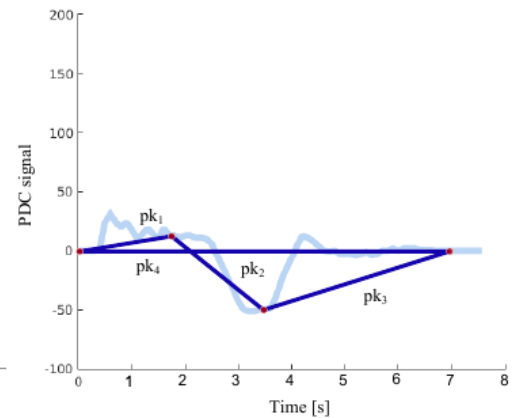
(a) $\mathbf{P}_d = (90, -30)$, $\mathbf{K}_s = (0, 0)$, $d = 4$



(b) $\mathbf{P}_d = (90, 0)$, $\mathbf{K}_s = (0, 0)$, $d = 6$



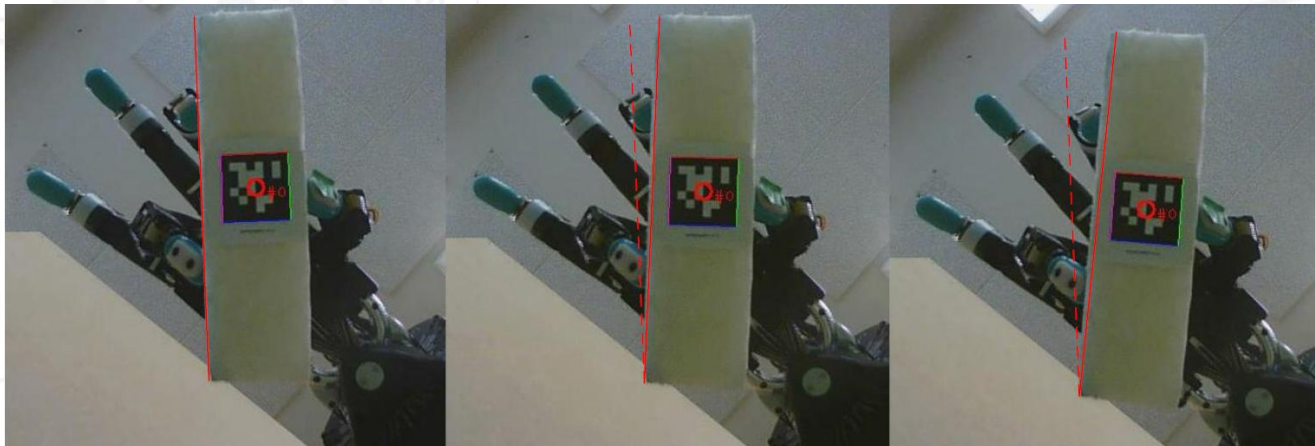
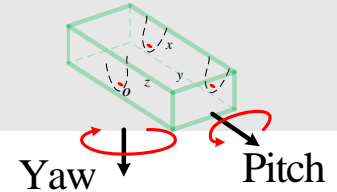
(c) $\mathbf{P}_d = (-30, -30)$, $\mathbf{K}_s = (0, 1)$, $d = 4$



(d) $\mathbf{P}_d = (-30, 0)$, $\mathbf{K}_s = (0, 1)$, $d = 4$

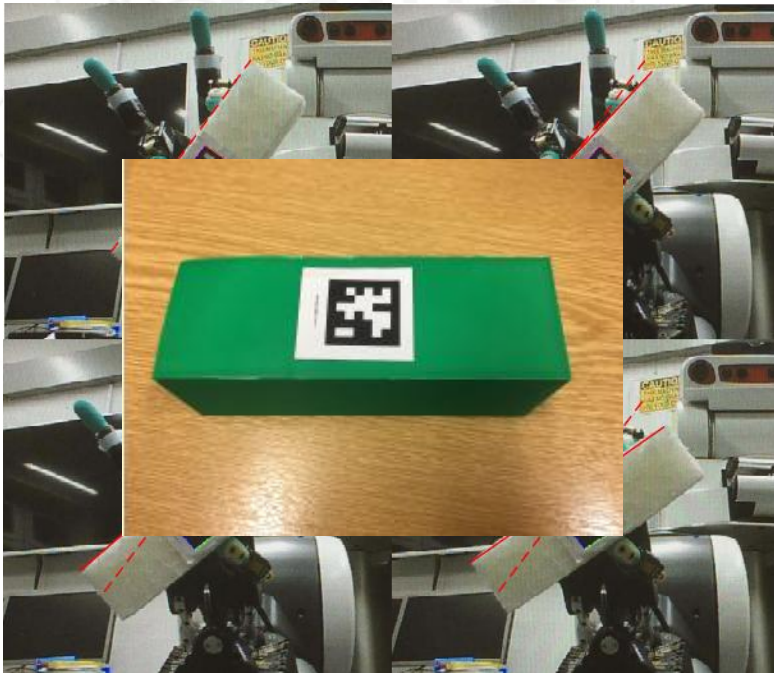
Experiments

Snapshots (rotational manipulation)



Experiments

Enhanced Manipulation



Rigid object



(a) A plastic bottle.



(b) A remote control.



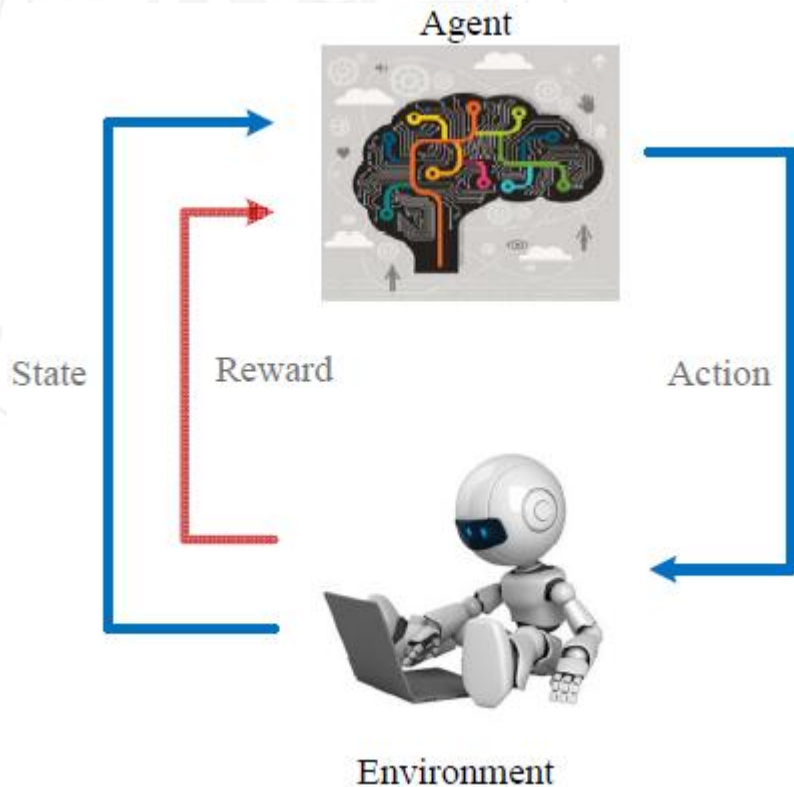
(c) A coffee pack.



(d) A square foam piece.

Policy Based Reinforcement Learning

Reinforcement Learning



Markov Decision Process
(MDP)

$$\langle X, U, f, \rho \rangle$$

State: x

Action: u

Reward: r



Policy Based Reinforcement Learning

Cost function (cost function): J

The gradient of the cost function:

$$\nabla_{\theta} J(\theta) = \int_X d^{\pi}(x) \int_U \nabla_{\theta} \pi(x, u) (Q^{\pi}(x, u) - b^{\pi}(x)) du dx.$$

Stationary distribution of the state

$$d^{\pi}(x) = \lim_{t \rightarrow \infty} P\{x_t = x | x_0, \pi\}$$

Q function $Q^{\pi}(x) = E\left\{\sum_{k=0}^{\infty} \gamma^k r_{k+1} | x_0 = x, u_0 = u, \pi\right\}.$

Baseline $b^{\pi}(x)$



Policy Based Reinforcement Learning

Williams' Episodic REINFORCE algorithm

$$\nabla_{\theta} J(\theta) = \left\langle \left(\sum_{k=0}^n \nabla_{\theta} \pi_{\theta}(u_k | x_k) \right) \left(\sum_{k=0}^n a_k r_k - b \right) \right\rangle.$$

Peters' Episodic Actor-Critic algorithm

$$\begin{aligned} \nabla_{\theta} J(\theta) &= \int_X d^{\pi}(x) \int_U \nabla_{\theta} \pi(x, u) (\nabla_{\theta} \log \pi(u|x))^T du dx \mathbf{w} \\ &= F_{\theta} \mathbf{w}, \end{aligned}$$

With compatible function:

$$f_w^{\pi}(x, u) = (\nabla_{\theta} \log \pi(u|x))^T \mathbf{w} \equiv Q^{\pi}(x, u) - b^{\pi}(x).$$



Policy Based Reinforcement Learning

Algorithm 1 Episodic REINFORCE algorithm

Input: policy parameter θ , learning rate α , policy standard deviation σ , and baseline b ;

for episode j do

Initialization: $\pi_\theta \leftarrow \theta$, get initial state X_0 ;

 for each step i do

$u_k \leftarrow \pi(\theta)$ and do action u_k ;

 get next state X_{k+1} and reward r_k ;

$r = r + r_k$;

$\mathbf{e} = \mathbf{e} + \frac{\partial \ln(\pi_\theta(X_k))}{\partial \theta}$;

 end for

$b = b + (r - b) / j$;

$\theta_{k+1} = \theta_k + \alpha_k (r - b) \mathbf{e}$;

end for



Policy Based Reinforcement Learning

Algorithm 2 Peters' Episodic Actor Critic algorithm

Input: policy parameters θ , learning rate α , policy standard deviation σ ;

repeat

for m episodes **do**

Initialization: $\pi_\theta \leftarrow \theta$, get initial state \mathbf{x}_0 ;

Calculate:

 policy derivatives: $\psi_k = \nabla_\theta \log \pi_\theta(\mathbf{u}_k | \mathbf{x}_k)$

 fisher matrix $\mathbf{F}_\theta = \langle (\sum_{k=0}^H \psi_k)(\sum_{l=0}^H \psi_l)^T \rangle$.

 vanilla gradient $\mathbf{g} = \langle (\sum_{k=0}^H \psi_k)(\gamma^{(H-k)} r) \rangle$.

 average reward $\bar{r} = \langle \sum_{k=0}^H \gamma^{H-k} r \rangle$.

 eligibility $\phi = \langle \sum_{k=0}^H \psi \rangle$.

 natural gradient:

 baseline $b = \mathbf{Q}(\bar{r} - \phi \mathbf{F}_\theta^{-1} \mathbf{g})$

 where $\mathbf{Q} = \frac{1}{m} (1 + \phi^T (m \mathbf{F}_\theta - \phi \phi^T)^{-1} \phi)$

 natural gradient $\mathbf{g}_n = \mathbf{F}_\theta^{-1} (\mathbf{g} - \phi b)$

end for

 policy update $\theta = (1 - \frac{\alpha}{n})\theta + \frac{\alpha}{n} \mathbf{g}_n$

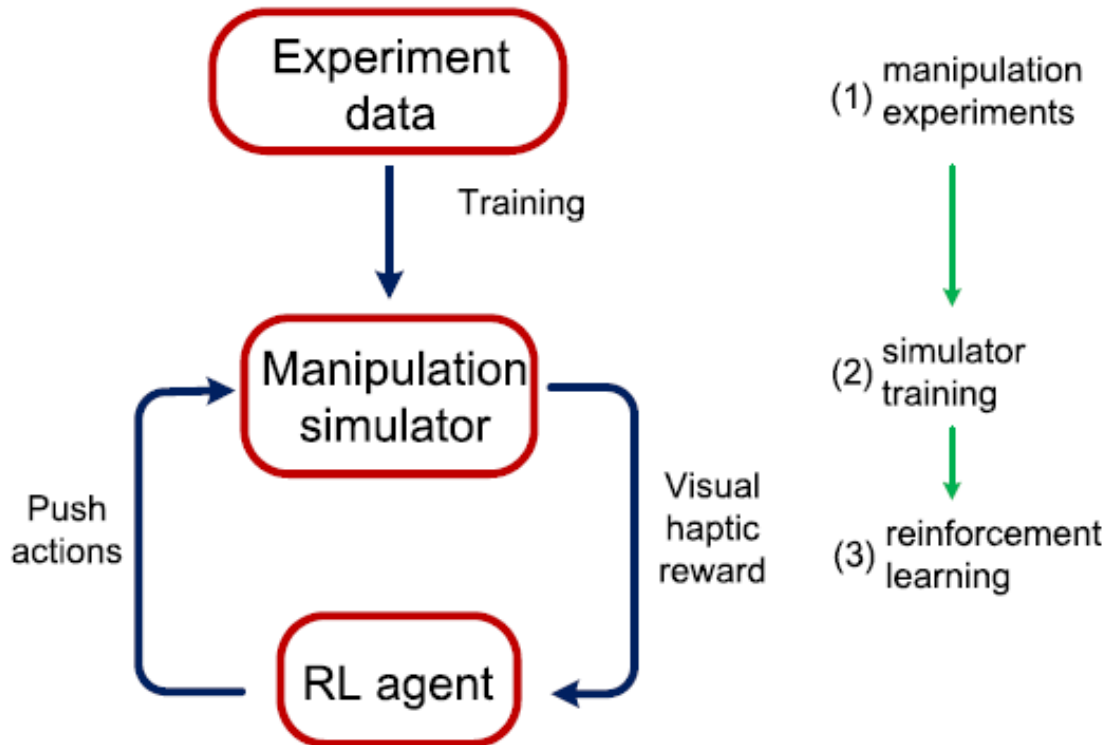
until θ converged

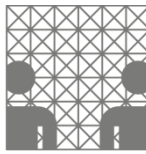




Policy Based Reinforcement Learning

Learning Frame





Simulator Training

Density Push experiment:

Push action: $\mathbf{P} = [\theta, \alpha, P_l]^T$

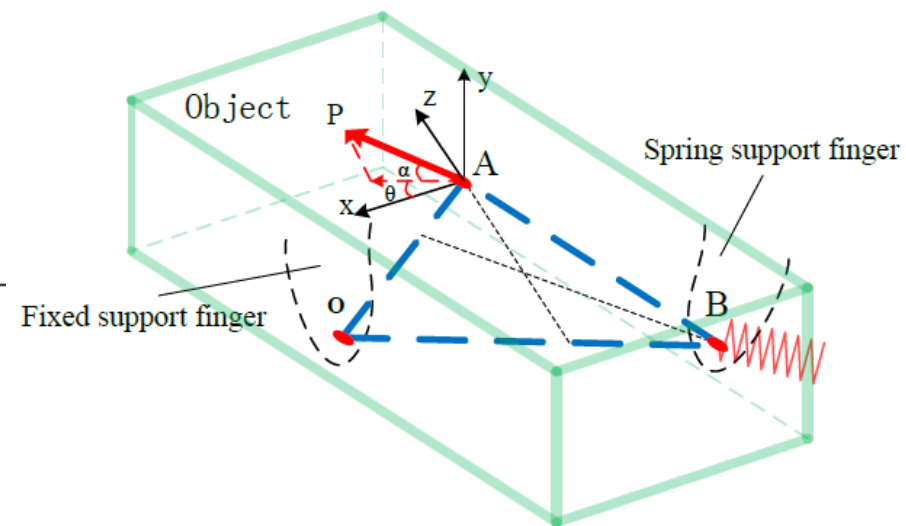
Algorithm 1 The push sequence in the density push experiment.

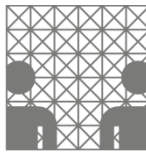
```

for  $P_l = 2$  to 10 mm do
  for  $\theta = -60^\circ$  to  $60^\circ$  by  $15^\circ$  do
    for  $\alpha = -60^\circ$  to  $60^\circ$  by  $15^\circ$  do
      Push execution with  $\mathbf{P} = [\theta, \alpha, P_l]^T$ ;
    end for
  end for
end for
end for

```

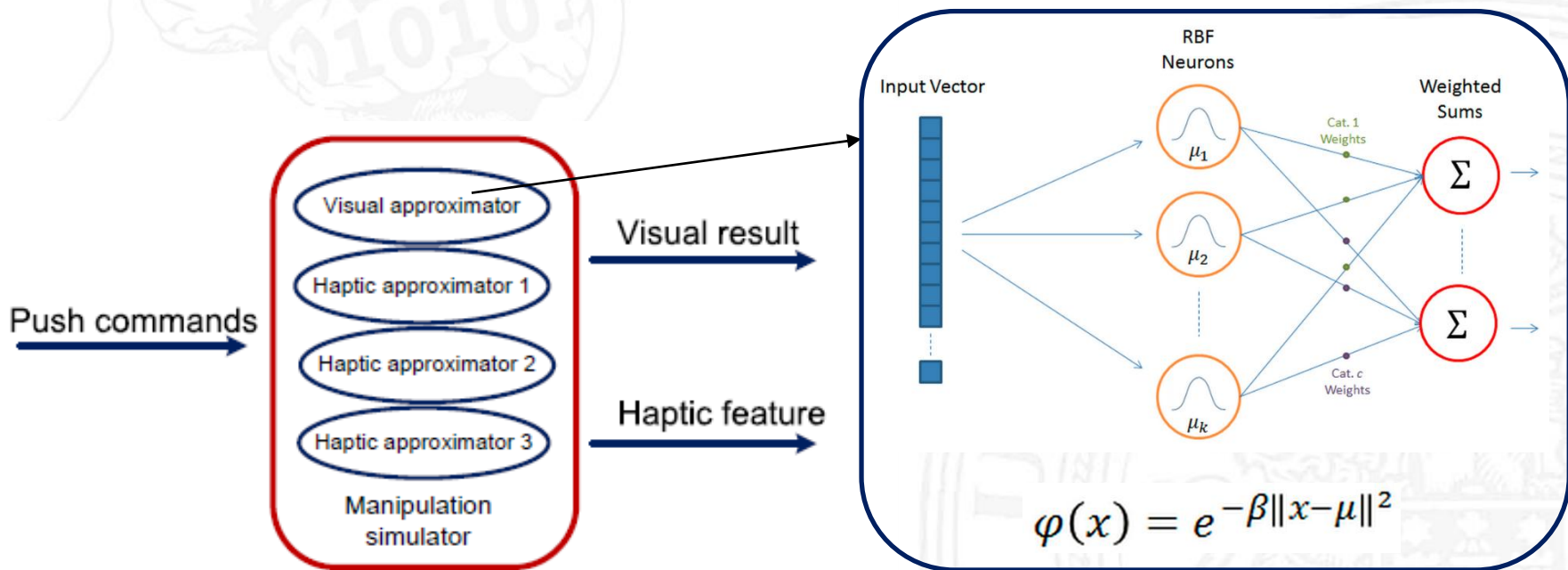
380 push actions

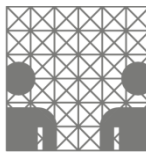




Simulator Training

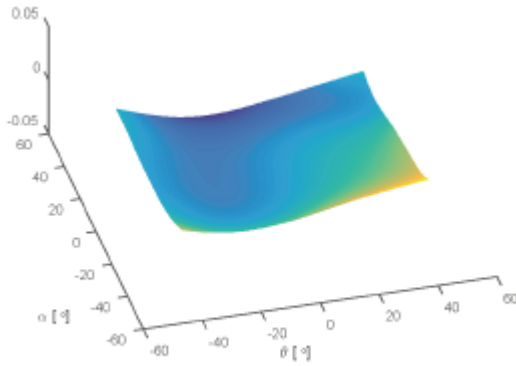
RBFNs: Radial Basis Function Networks



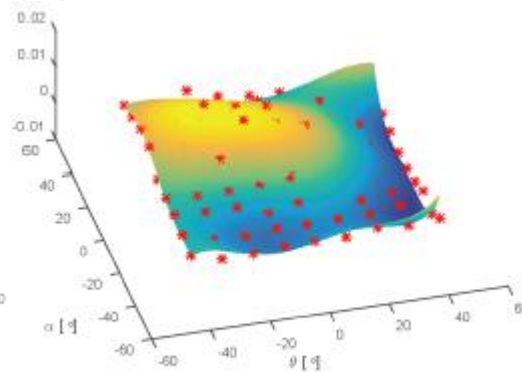


Simulator Training

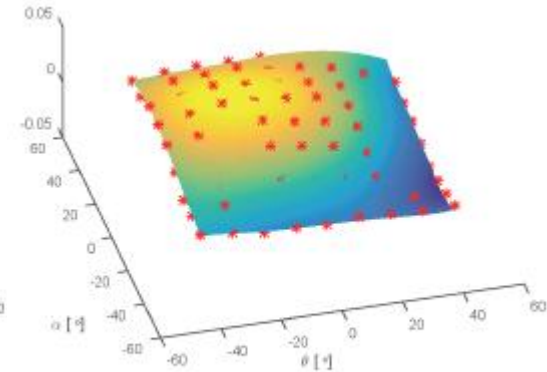
Visual regression with RBFN



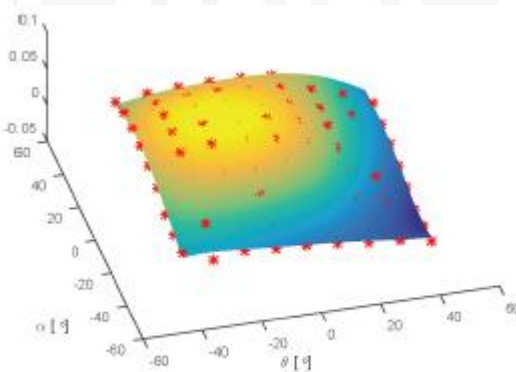
(a) $d = 0 \text{ mm}$



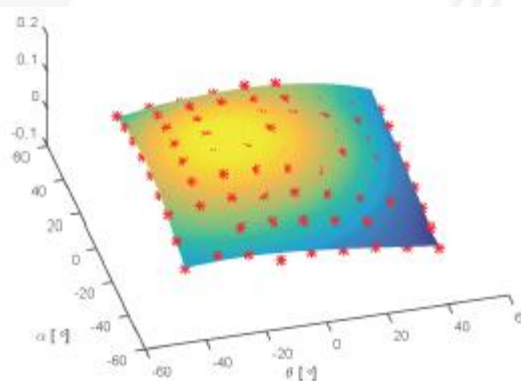
(b) $d = 2 \text{ mm}$



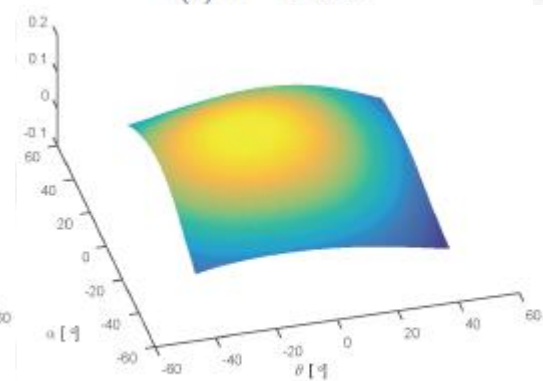
(c) $d = 4 \text{ mm}$



(d) $d = 6 \text{ mm}$



(f) $d = 10 \text{ mm}$



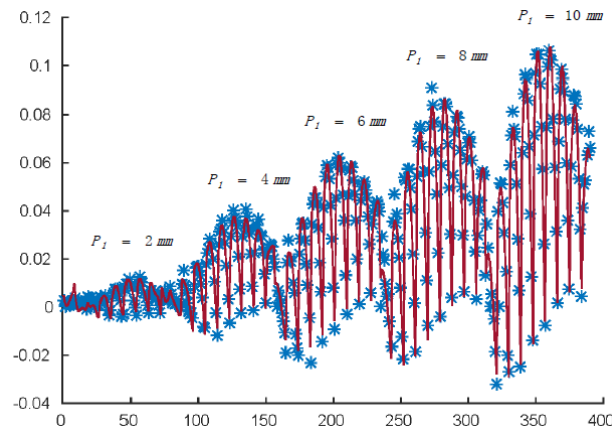
(h) $d = 14 \text{ mm}$



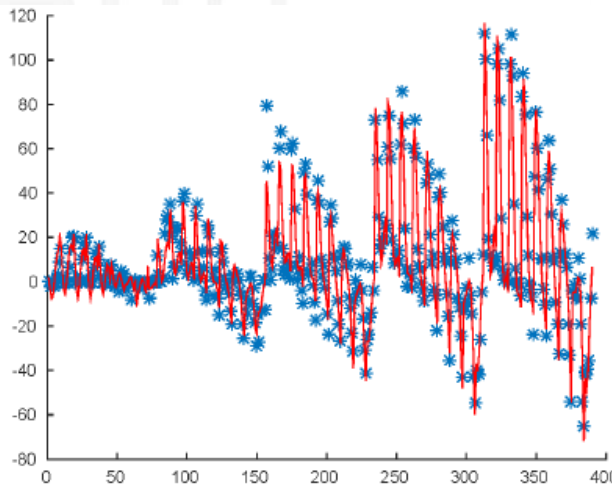


Simulator Training

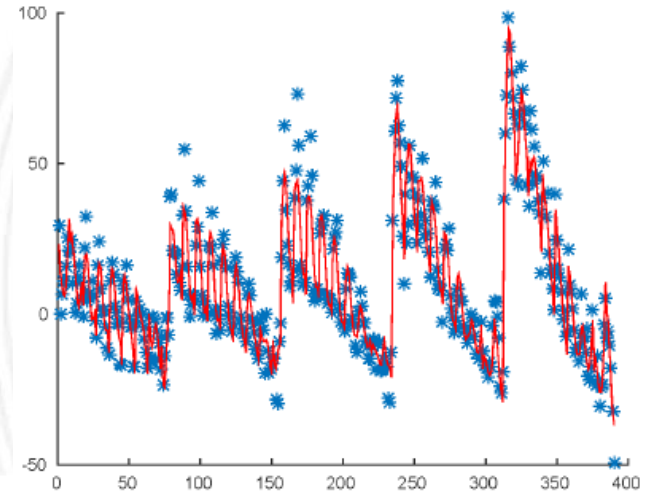
Visual:



Haptic:

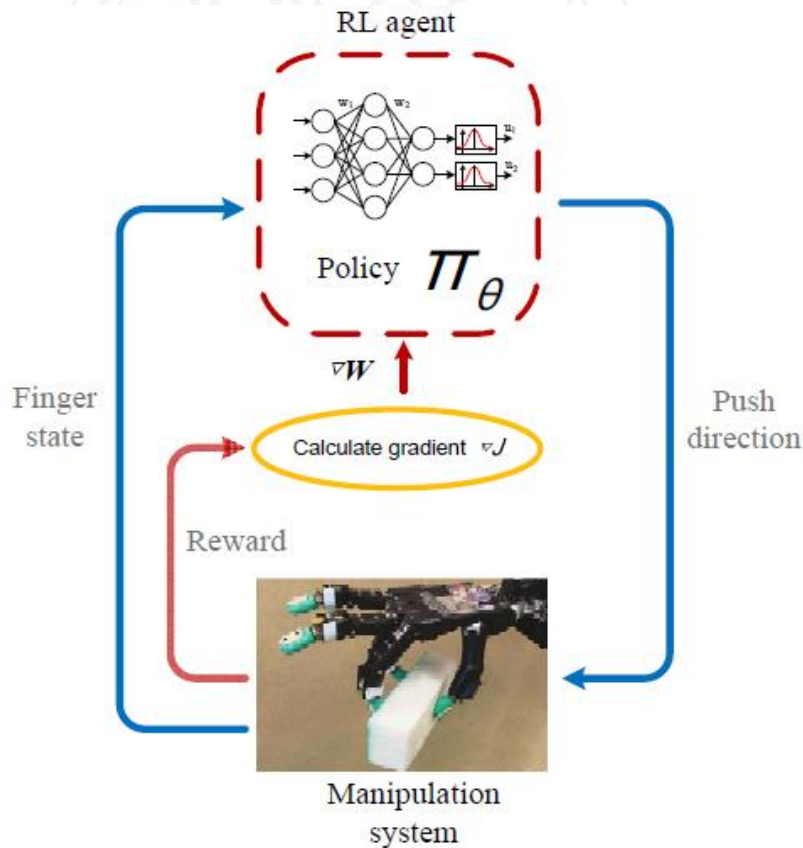


- Approximate visual result with RBFNs
- Conduct as a simulator for the learning agents

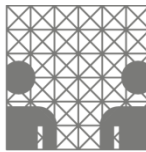


Manipulation learning with simulators

Manipulation learning with simulators



- Learn to push object in a right direction
- Interact with visual and haptic simulators



Manipulation learning with simulators

Reward

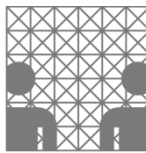
$$r = \sum_{k=1}^{H-1} \gamma^{H-k} \mathbf{k}^T \mathbf{r}_{step}(\mathbf{x}_t) + r_{stepV}(\mathbf{x}_H)$$

$$\mathbf{r}_{step}(\mathbf{x}_t) = [r_{stepV}(\mathbf{x}_t) \ r_{stepH}(\mathbf{x}_t)]^T$$

Visual only $\mathbf{k} = [1 \ 0]^T$

Visual-haptic $\mathbf{k} = [1 \ 1/100]^T$

Final reward $r_{end} = 10r_{stepV}(\mathbf{x}_{end})$



Episodic REINFORCE Algorithm

Learning Parameters

Williams' Episodic REINFORCE Algorithm

Parameters	Notation	value
State dimensions	n_s	3
Action dimensions	n_u	2
Hidden layers units	n_h	8
Learning rate	α	0.005
Discount factor	γ	0.8
Policy standard deviation	σ	0.4
Steps in one episode	H	12
Maximum episode number	n_{ep}	2000

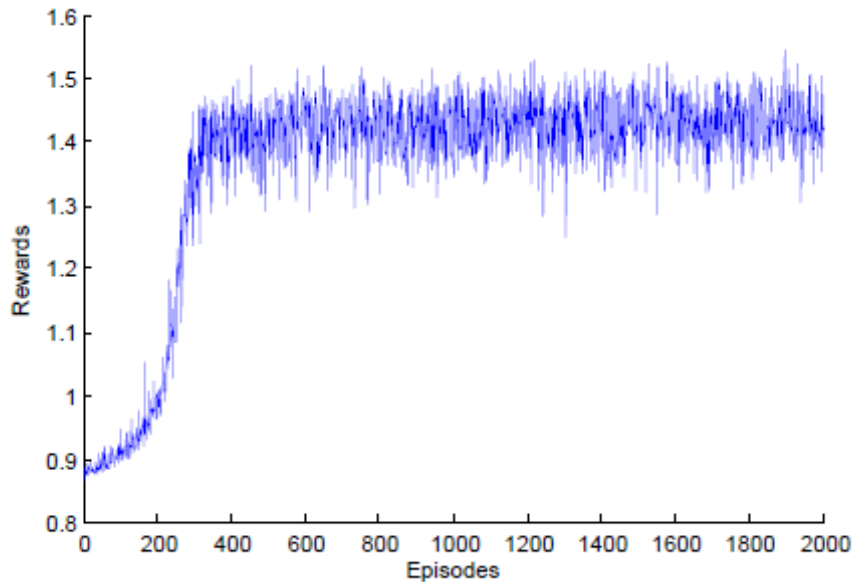
Parameters	Notation	value
State dimensions	n_s	3
State feature dimensions	n_{sf}	10
Action dimensions	n_u	2
Learning rate	α	0.5
Discount factor	γ	0.8
Policy standard deviation	σ	0.2
Steps in one episode	n_{step}	12
Maximum episode number	n_{ep}	1000

Peter's Episodic Natural Actor-Critic

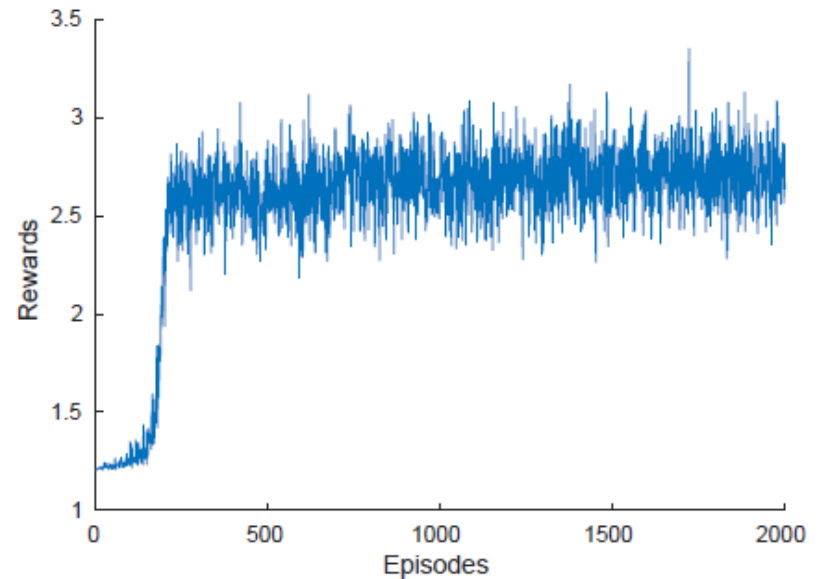


Learning Results

Episodic REINFORCE Algorithm



Visual-Only

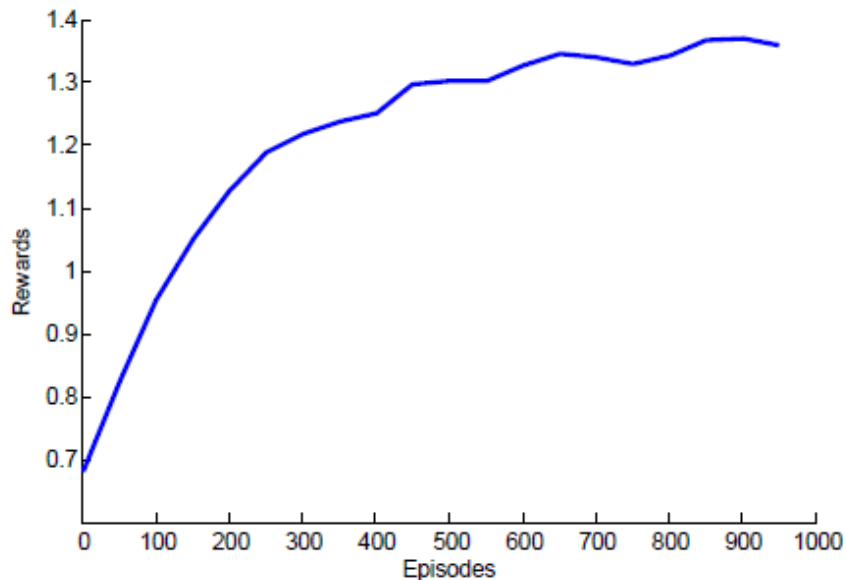


Visual-Haptic

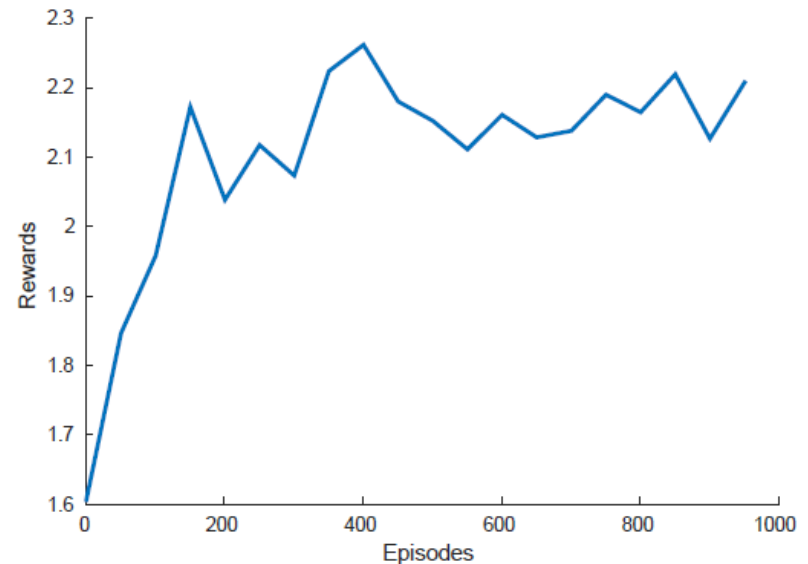


Learning Results

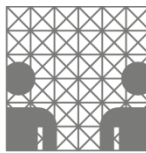
Episodic Natural Actor-Critic



Visual-Only

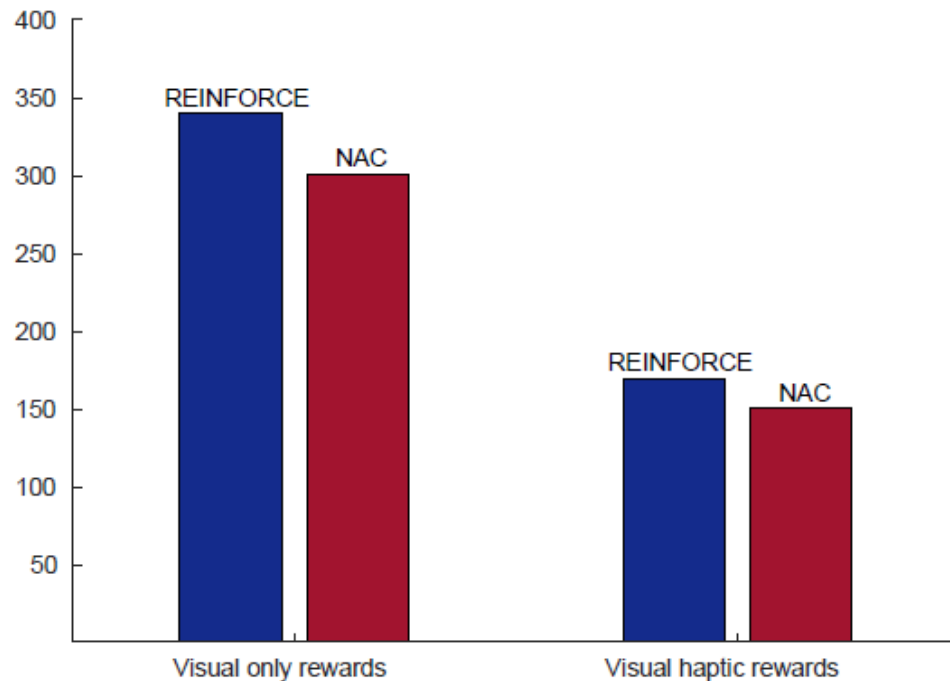


Visual-Haptic

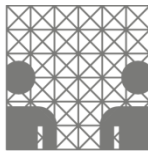


Learning Results

Episode Number before Learned



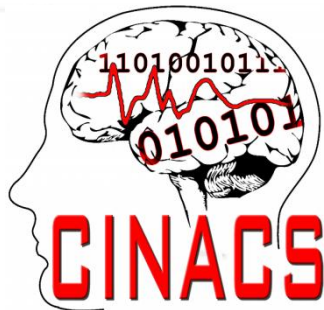
- NAC is little faster than REINFORCE
- Multimodal (Visual-Haptic) speeds up learning speed than unimodal (Visual-Only)



Thank You!

Junhu He

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TAMS

Department of Informatics

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Cross-modal Interaction In Natural and Artificial Cognitive
Systems(CINACS)