

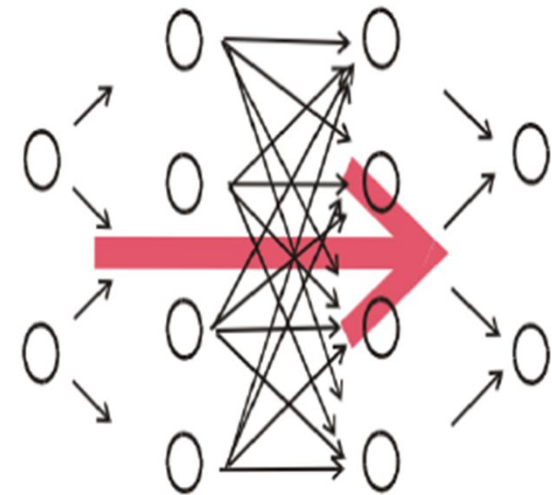
# Intelligent Robotics

## RNN for Object Classification

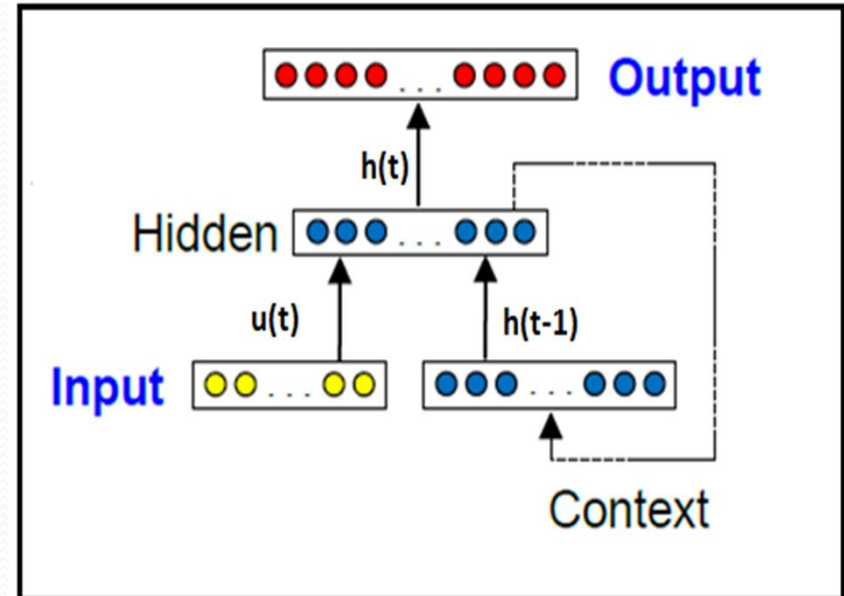
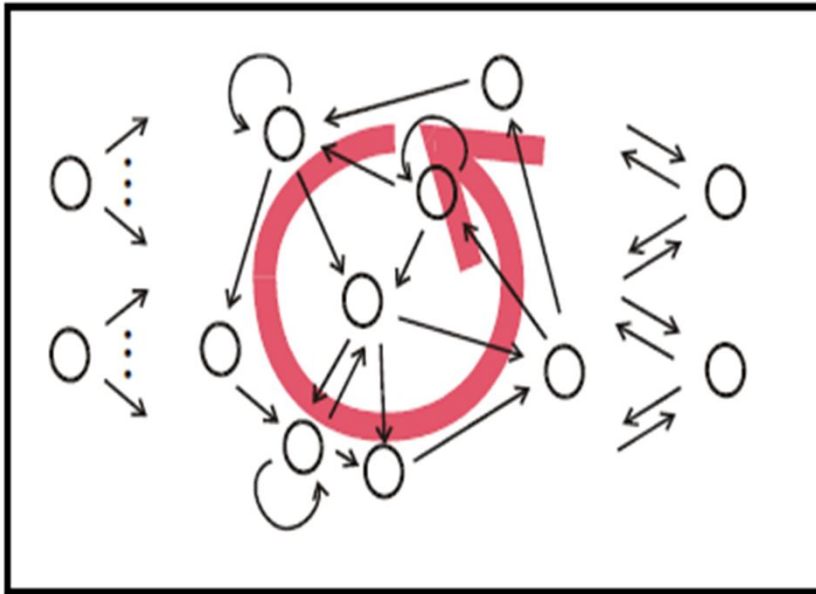
**Presented by:-**  
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# INTRODUCTION

- **Mainly 2 types of neural network**
  - **Feed Forward Neural Network**
  - **Recurrent Neural Network**
- **Feed Forward Neural Network:-**
  - activation is "piped" through the network from input units to output units (from left to right)
  - No cycle and the layers are clear
  - Not capable of processing time series
  - Back propagation is used for training.



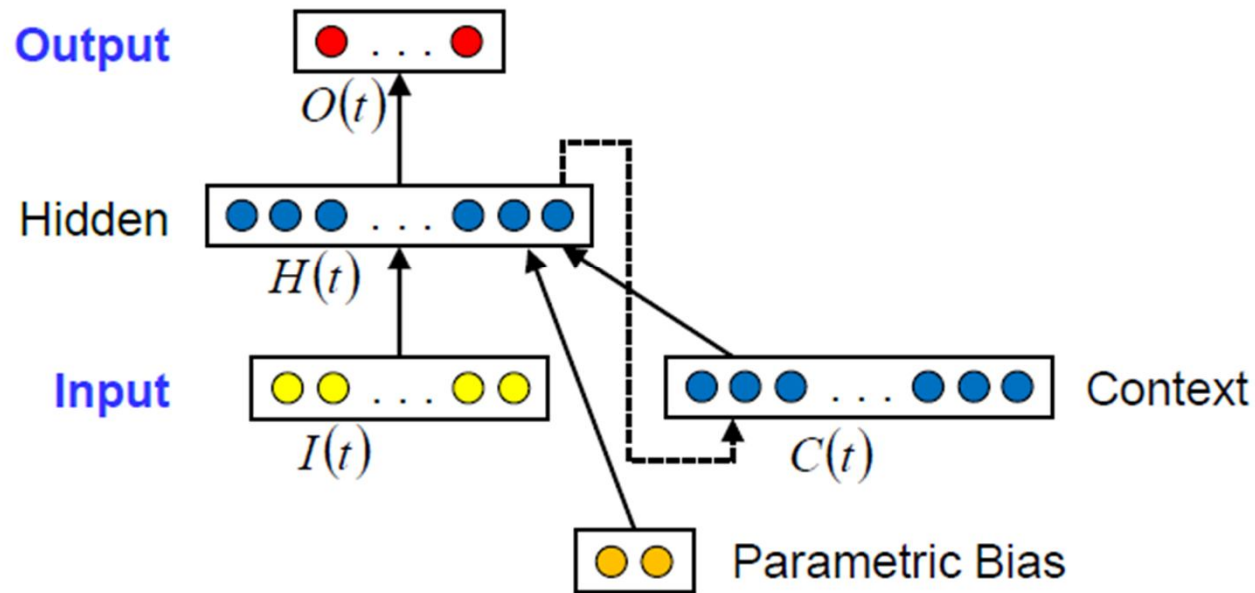
# Elman type RNN



- Elman Type network models **non-linear dynamical system**
- Total input to hidden layer:
  - $u(t)$  : current input at time step  $t$ .
  - $h(t-1)$  : activation of hidden layer at time step  $t-1$ .
- Context unit activations represent the internal state of the network

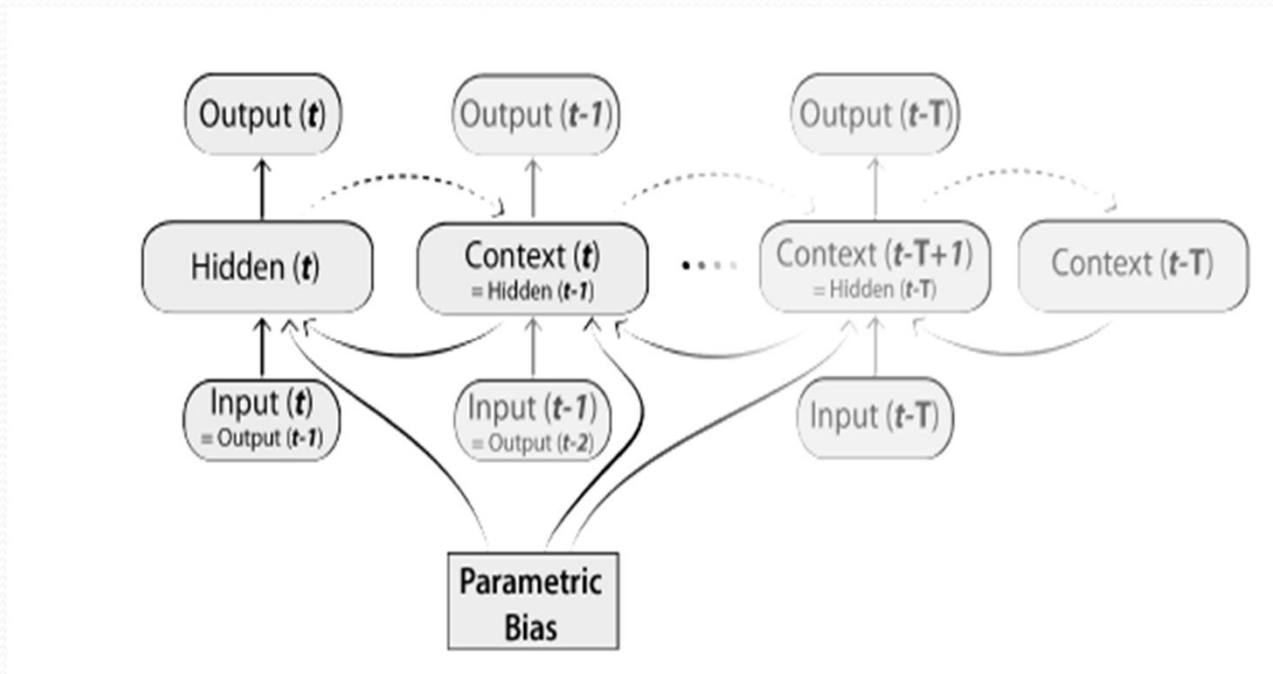


# RNNPB Overview



- Elman Type network model the non-linear dynamical system.
- **PB vector** acts as the bifurcation parameters of nonlinear dynamical systems.
- Network generates *nonlinear mappings* between the **parametric bias** and corresponding *sequences*
- RNNPB can encode the several no. of dynamical patterns.

# RNNPB unfolded over time



- The same *bias* is influencing the activation in every time step, but is *self-organised* by back-propagation for every sequence.



# RNNPB Features

## ➤ Record Patterns:-

- PB Vector **Maps** Spatio-temporal Patterns.
- PB Vector for each pattern is self-determined in **unsupervised** way.
- Therefore, similar sequences are clustered together and distinguishable sequence are located further apart.

## ➤ Reconstruct Patterns :-

- Once PB Vector is learned, it can be used for the generation of the stored patterns
- **HOW ?**
  - Network is operated in closed loop.
  - The PB values are '**clamped**' to a previously learned value.
  - *Forward Pass*: Network starts with initial input  $I(o)$ .  
output at any time  $t$  serves as an input at time  $t+1$

# RNNPB Features

## ➤ Recognize Patterns :-

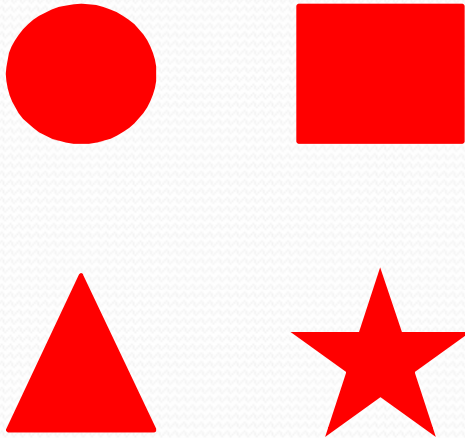
- Patterns are recognized by corresponding PB value.
- **HOW ?**
  - Observed pattern is fed to the network.
  - No updates made in connection weights.
  - Only PB values are accumulated with constant learning rate.
  - PB Vector obtained is compared to the PB vector obtained during the training.



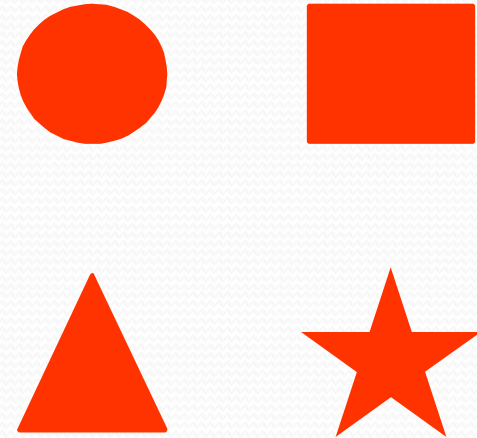
# Experiment Scenario (Kleesiek 2011)

- **Aim:**
  - NAO robot has to distinguish among 8 toy bricks.
- **Toy Bricks:-**

*Heavy toy bricks*



*Light toy bricks*





# Data Acquisition

- A time series contains **14 sensor values** for each modality.
- In each single trial:-

**Action 1:** the toy brick is rotated by **45.8 degree** back-and-forth

**Repetition:** 2 times

**Data:** after action, raw image of the lower camera of the Nao robot is captured

**Action 2:** lifting the toy up-and-down (altering pitch of the shoulder joint by **11.5°**)

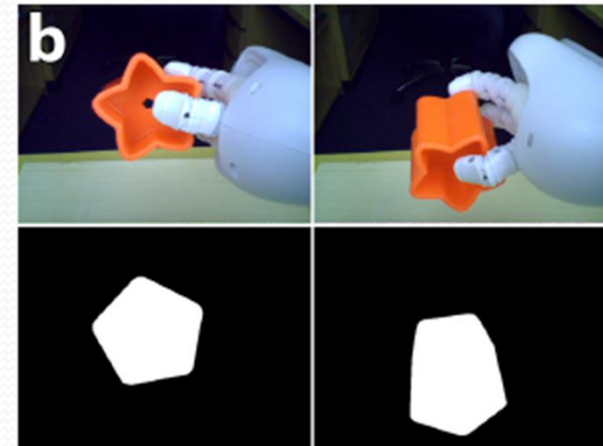
**Repetition:** 3 times

**Data:** for entire movement interval, electric current of the shoulder pitch servo motor is recorded constantly (sampling frequency 10 hz).

- In the similar way, **10 single time series** are recorded for every toy brick i.e. for all shape and both weight categories.
- Thus, in total we will have **80 bi-modal time series**.

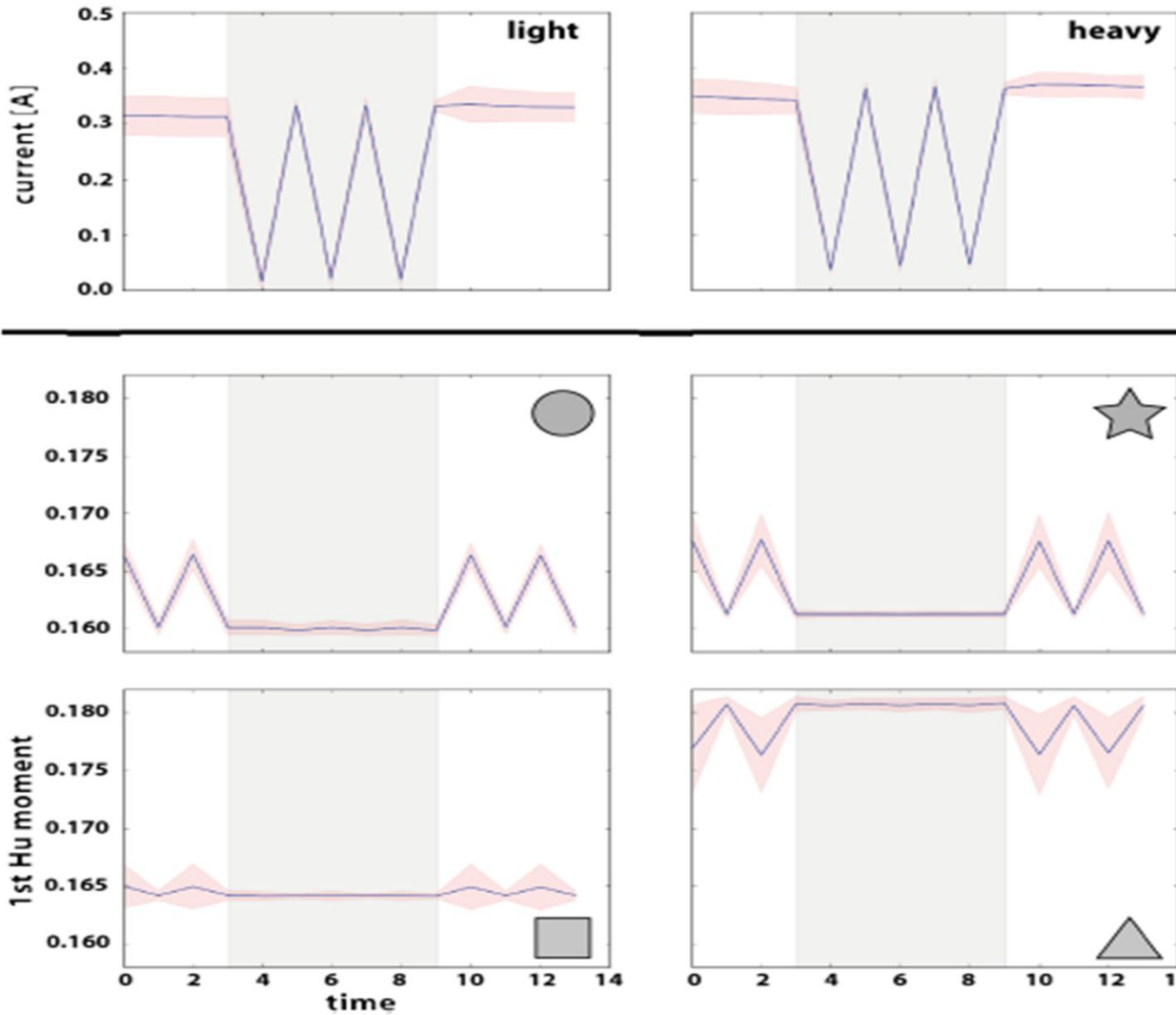
# Data Processing

- **Proprioceptive processing:**
  - Mean values for the time interval b/w movements.
- **Visual Processing:**
  - Done using OpenCV.
  - Raw image converted to binary using color threshold.
  - Convex hull is computed
  - Contour belonging to toy bricks is extracted
  - Calculate first Hu moment.
  - Scale visual measurement in interval  $[-0.5, 0.5]$





# Training Data



Proprioceptive  
Prototype



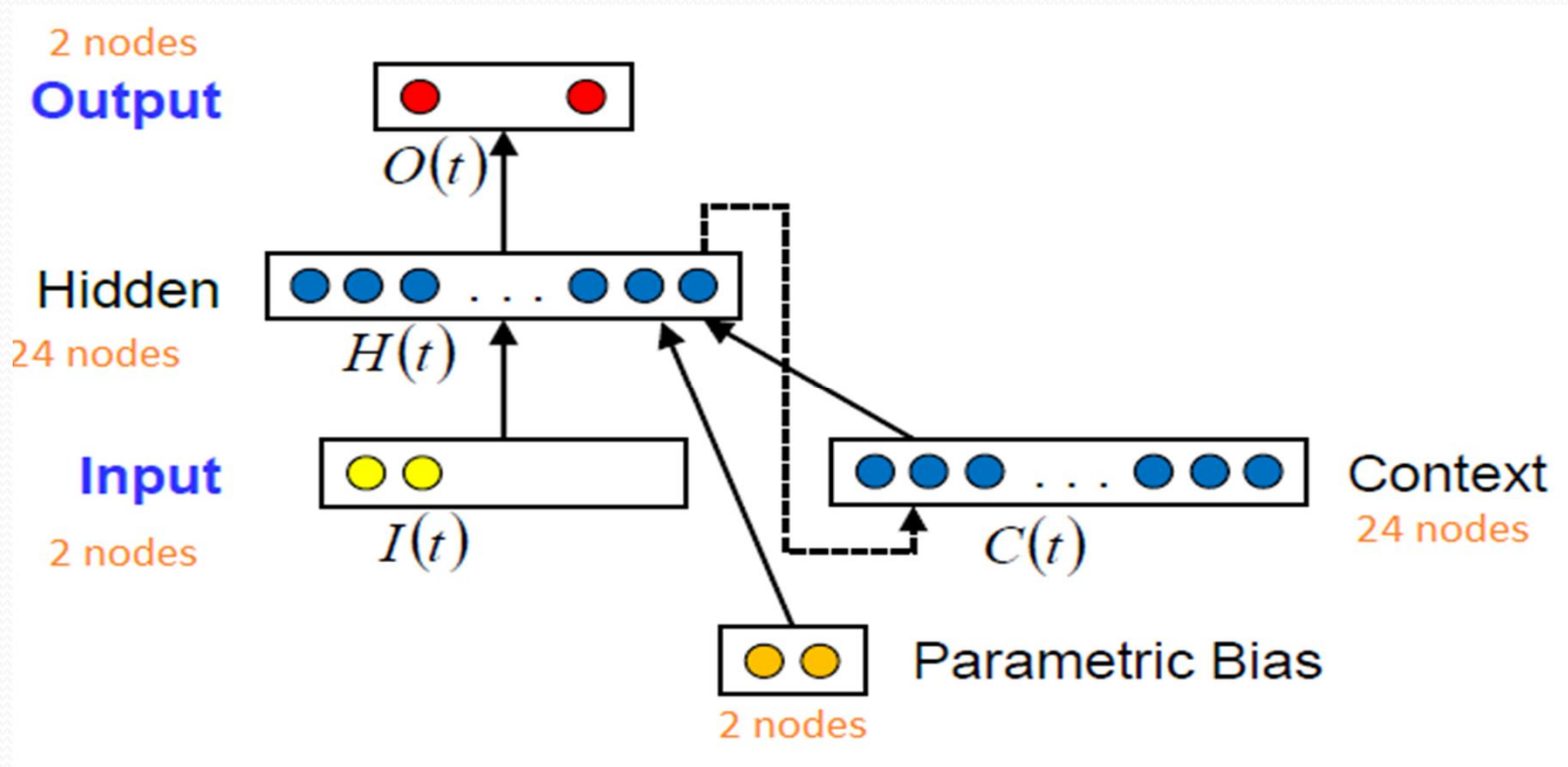
Visual Prototype





# Network Parameters

- Based in Empirical trials:-

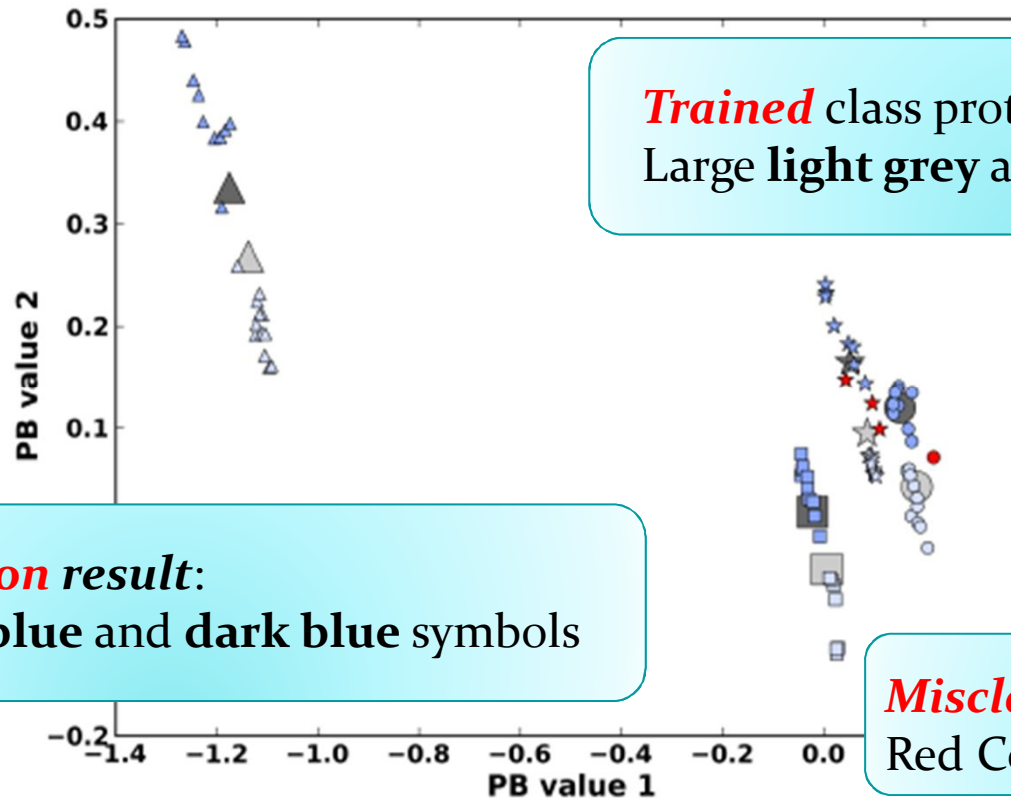


- For recognition mode:-
  - Learning rate for PB values: 0.1

# Experiment 1: Using all objects for training

- **Classification:-**

- **Light Colors** :- Light weight object
- **Dark Colors** :- Heavy weight object



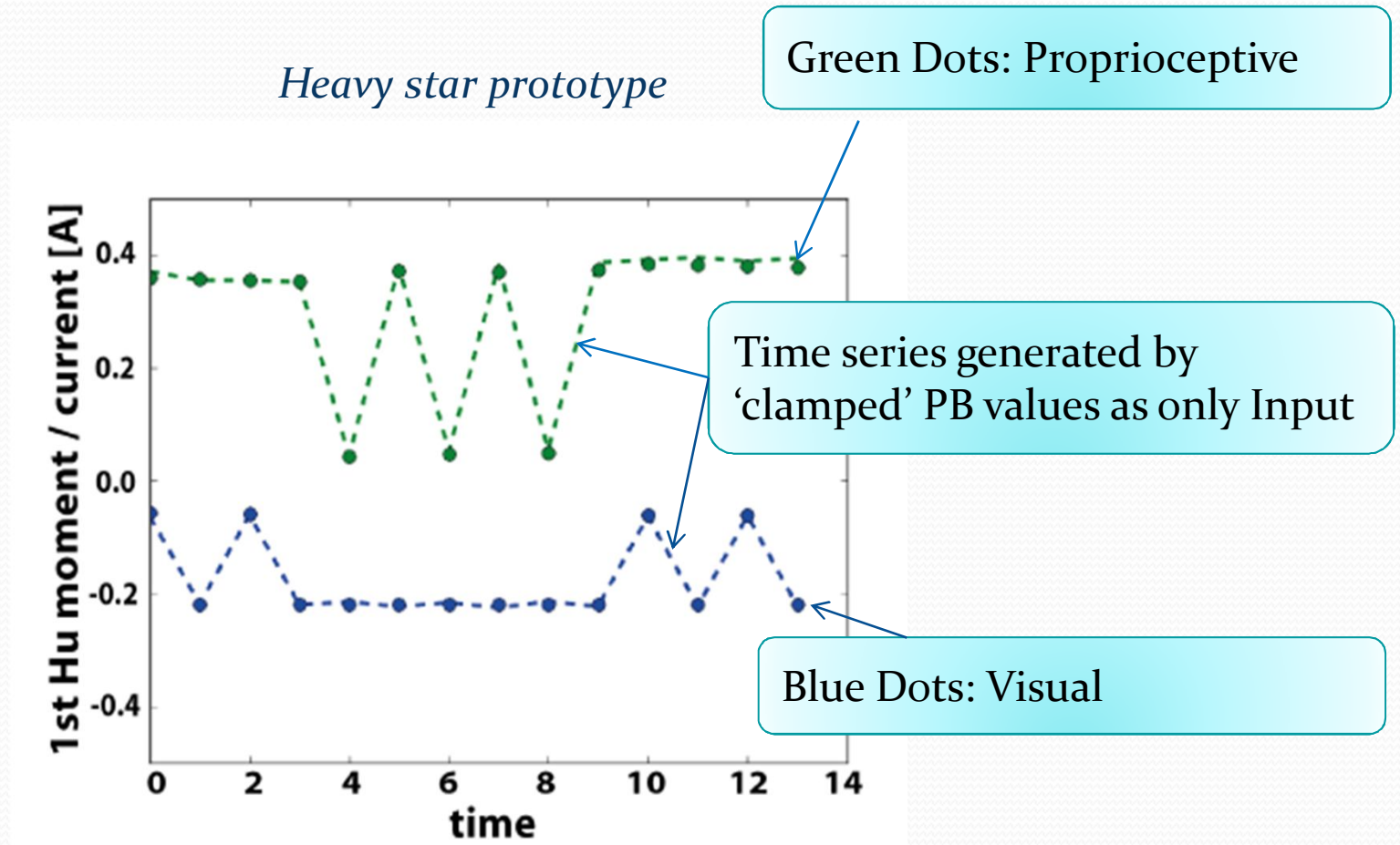
**Trained** class prototypes:  
Large **light grey** and **dark grey** symbols

**Classification result:**  
Small **light blue** and **dark blue** symbols

**Misclassified Objects:**  
Red Color (4 out of 80) i.e 5%

# Experiment 1: Using all objects for training

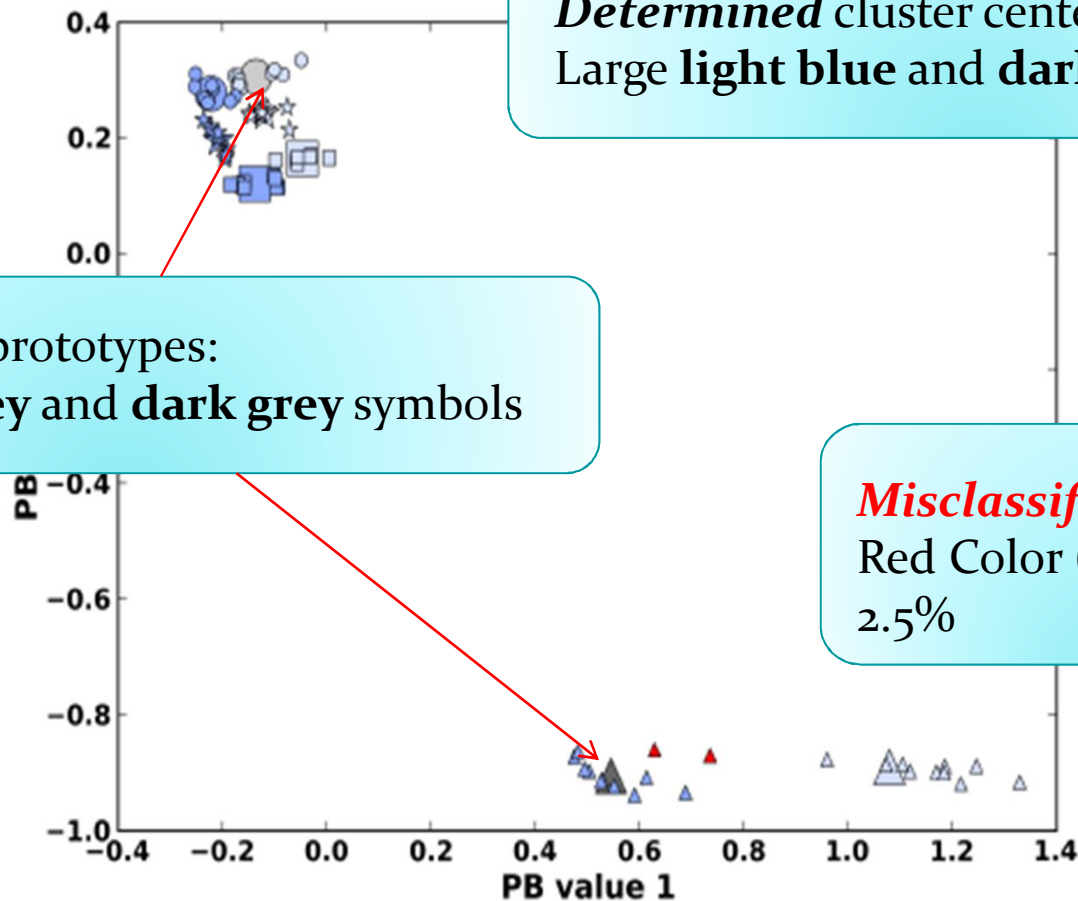
- Retrieval and Generation:-





## Experiment 2: Using 2 objects for training

- Classification:-



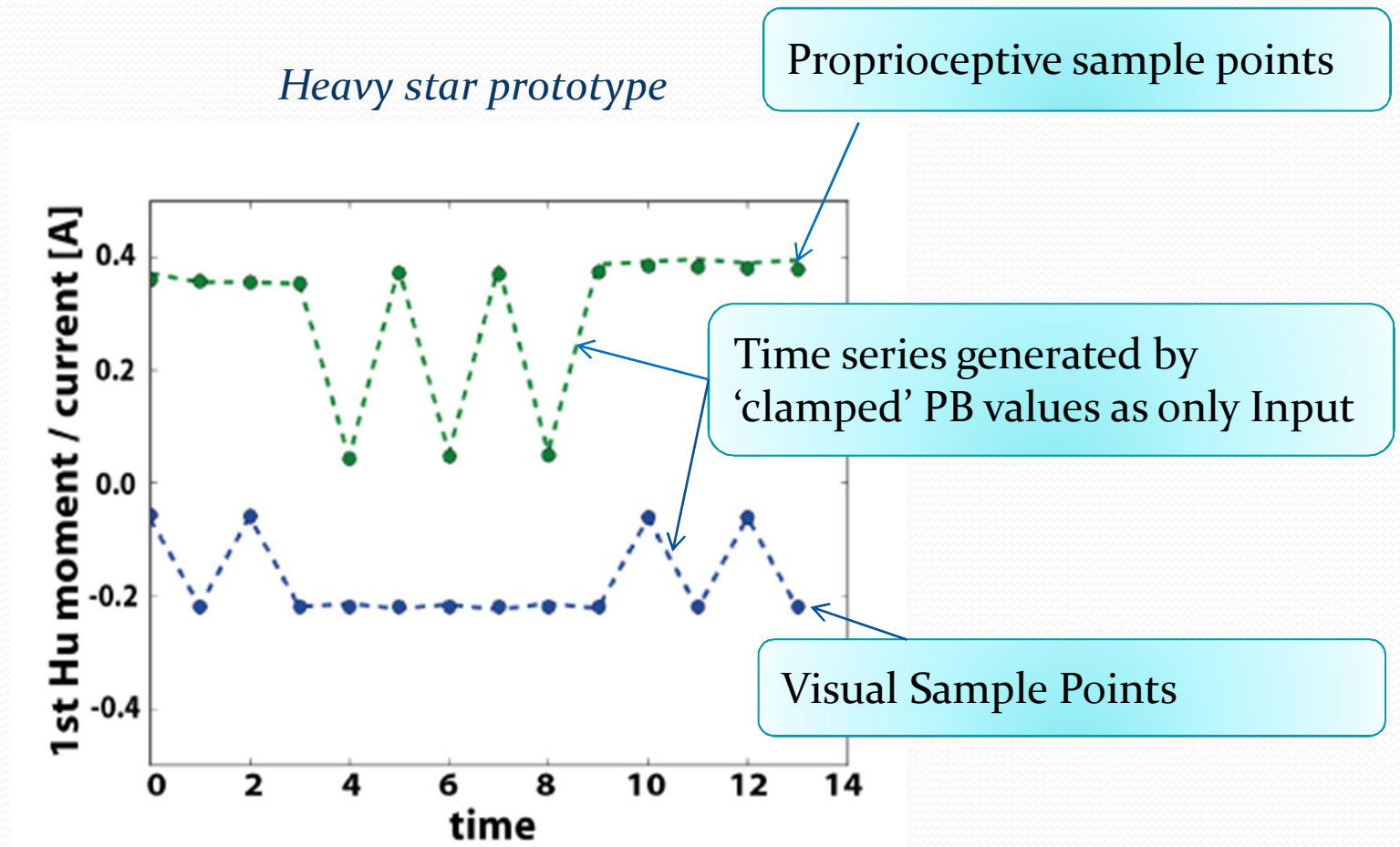
*Determined* cluster centers:  
Large **light blue** and **dark blue** symbols

*Trained* class prototypes:  
Large **light grey** and **dark grey** symbols

*Misclassified Objects*:  
Red Color (2 out of 80)  
2.5%

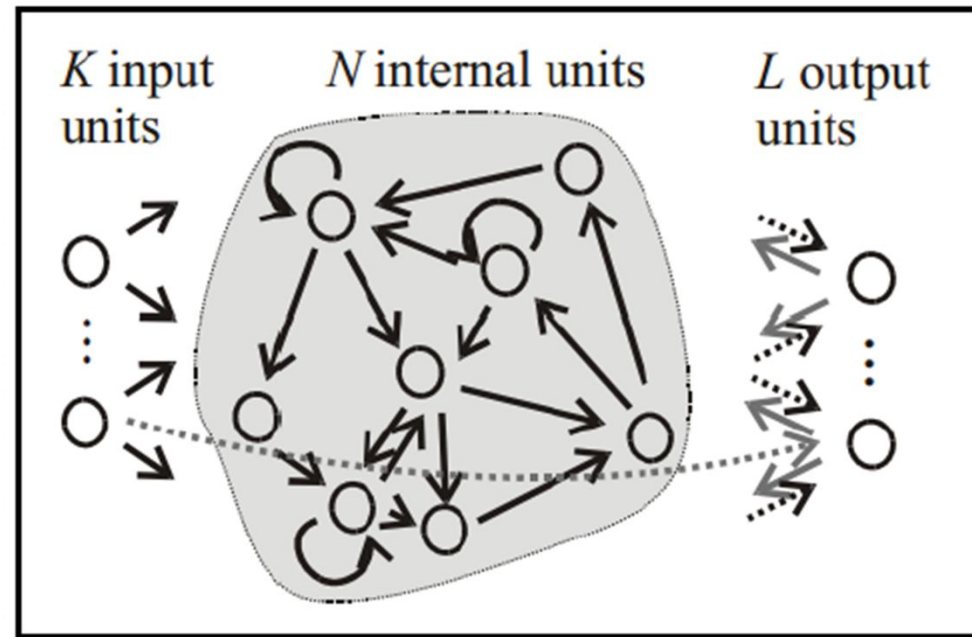
# Experiment 1: Using all objects for training

- Retrieval and Generation:-





# ESN (Herbert Jaeger in 2001)

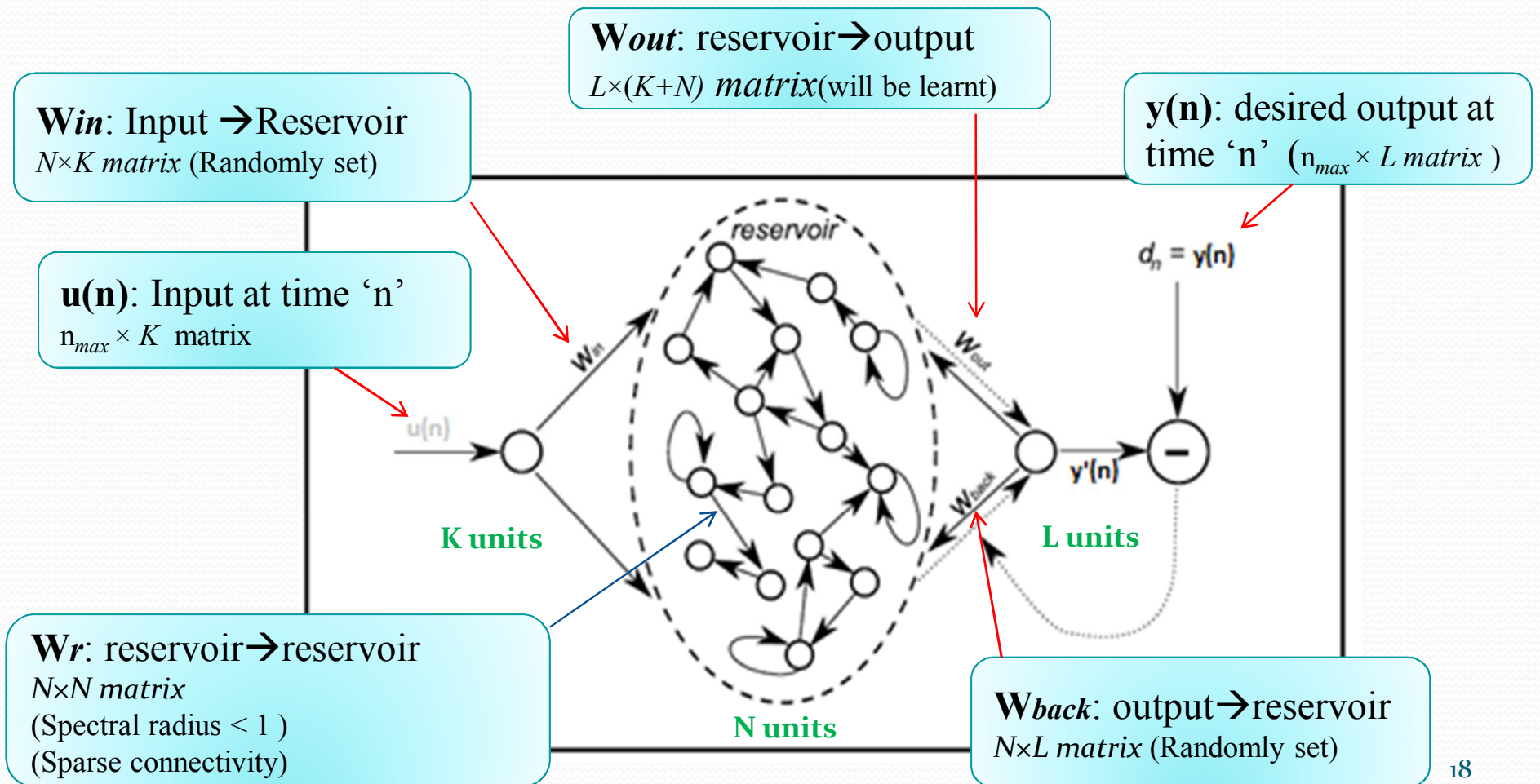


- Hidden layer also known as **reservoir** :-
  - Non-linear expansion of the input
  - Act as a memory unit of input at the same time
  - The past states echoes in the network, even when no input.



# Training ESN

- **Training Data** =  $\{(u(n), y(n))\}$  where  $1 < n < n_{max}$  (length of time series)
- **Network Output** =  $y'(n)$



## Training ESN (2)

### ➤ Output of the reservoir :

- Reservoir generates a sequence  $\mathbf{x}(n)$  of N-dimensional reservoir states.
- $\mathbf{x}(n)$  is the **non-linear high dimensional expansion** of the input signals.
- Each component signal  $\mathbf{x}'(n)$  contributed by reservoir unit is **non-linear transform** of driving input.

### ➤ Formula used for calculation :-

- $\mathbf{x}(n+1) = f(\mathbf{W}_r \cdot \mathbf{x}(n) + \mathbf{W}_{in} \cdot \mathbf{u}(n+1) + \mathbf{W}_{back} \cdot \mathbf{y}(n))$  where,  
 $f$  is the activation function



# Training ESN (4)

## ➤ Output state:-

- concatenation of the reservoir and input states at time step 'n'. i.e.  $\mathbf{z}(n)=[\mathbf{x}(n); \mathbf{u}(n)]$
- **State collection matrix:-**
  - $\mathbf{S} = \mathbf{z}(n)$  where  $\mathbf{S}$  is of size  $n_{max} \times (N+K)$
- **Teacher output collection matrix:-**
  - $\mathbf{D} = \mathbf{y}(n)$  [row-wise] where  $\mathbf{D}$  is of size  $n_{max} \times L$ .
- $\mathbf{y}'(n) = \mathbf{g}(\mathbf{W}_{out} \mathbf{z}(n))$  where  $\mathbf{g}$  is output activation function

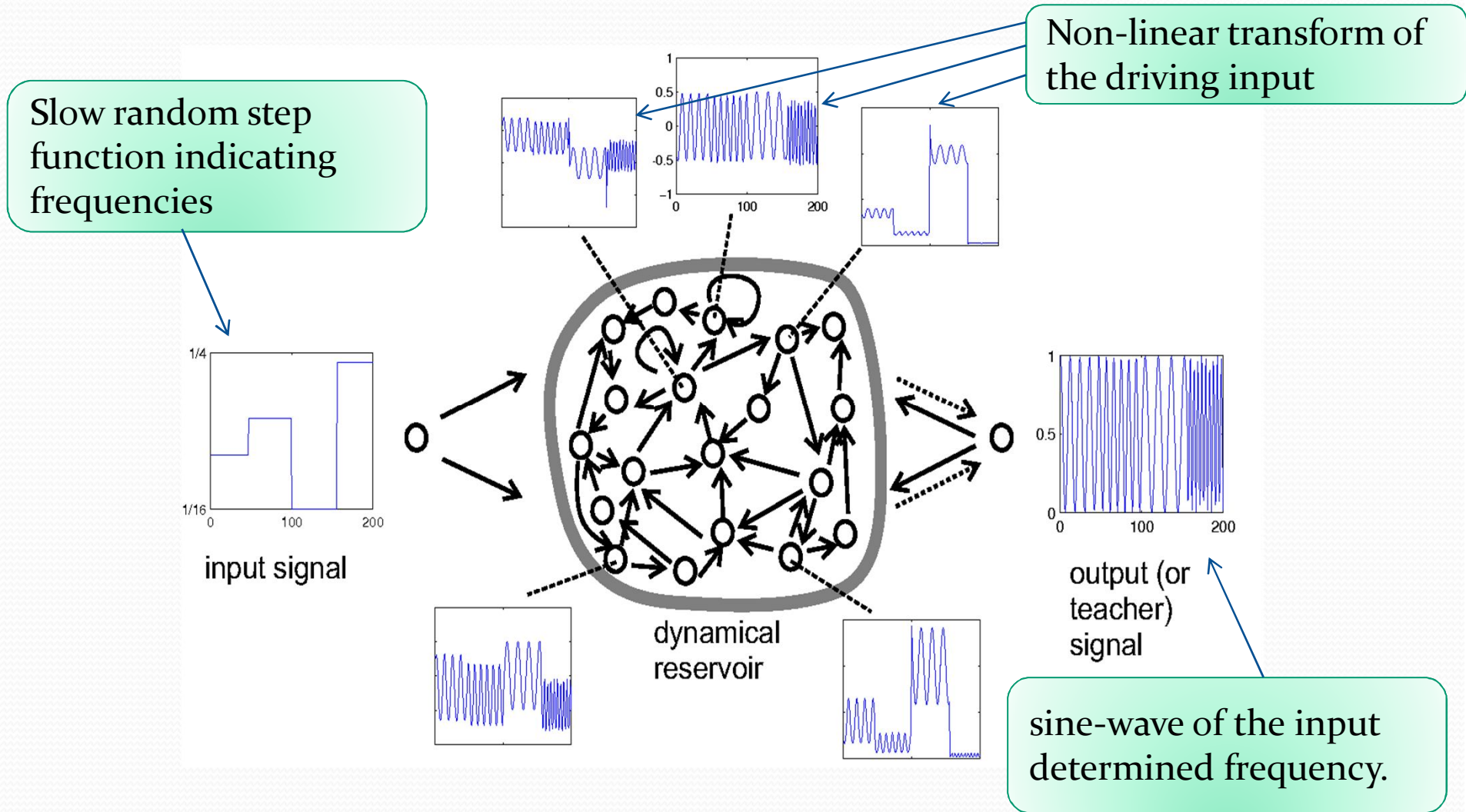
## ➤ Learning of Output weights:-

- $\mathbf{W}_{out}$  : linear regression weights of  $\mathbf{y}(n)$  on the reservoir output of harvested extended states  $\mathbf{y}'(n)$ .
- The weights  $\mathbf{W}_{out}$ , should minimize the mean squared error between  $\mathbf{y}'(n)$  and  $\mathbf{y}(n)$ .
- Let  $\mathbf{R} = \mathbf{S}^T \mathbf{S}$  be the correlation matrix of the extended reservoir state and,
- $\mathbf{P} = \mathbf{S}^T \mathbf{D}$  be the cross-correlation matrix of the states vs. the desired outputs.
- Then, using Weiner-Hopf solution:

$$\mathbf{W}_{out} = (\mathbf{R}^{-1} \mathbf{P})^T$$

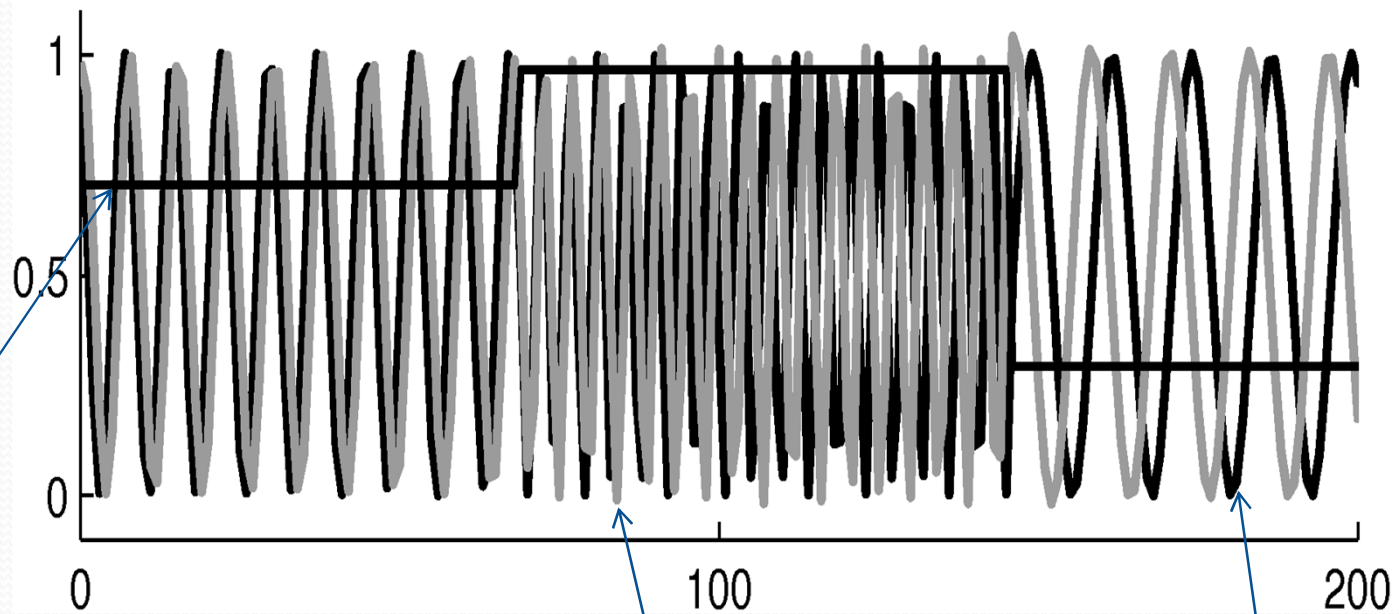
$$\mathbf{W}_{out} = (\mathbf{S}^T \mathbf{S})^{-1} \mathbf{S}^T \mathbf{D}$$

# Application 1: Tunable frequency generator





# Application 1: Results



Slow random step function indicating frequencies

Desired sine wave of the input-determined frequency.

Actual sine wave of the input-determined frequency.



Thank You